Healing the Poor:
The Influence of Patient Socioeconomic Status on Physician Supply Responses

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Abstract
A longstanding literature explores how altruism affects the way physicians respond to incentives and provide care. We analyze how patient socioeconomic status mediates these responses. We show theoretically that patient socioeconomic status systematically influences the way physicians respond to reimbursement changes, and we identify the channels through which these effects operate. We use two Medicare reimbursement changes to investigate these insights empirically. We confirm that a given physician facing an increase in reimbursement boosts utilization by more when treating richer patients. We show that average supply price elasticities vary from 0.02 to 0.18 for a given physician, depending on the patient socioeconomic status. Finally, we show that the Medicare reforms we study led to overall reimbursement increases that raised healthcare utilization by 10% more for high-income patients compared to their low-income peers. JEL: I11, I12, I18

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1. Introduction

Economists have long emphasized the peculiarities of healthcare markets, compared to other markets for goods and services. Since at least Kenneth Arrow’s pioneering paper on the subject, economists have recognized two features in particular: the altruism of healthcare providers towards their patients and the reliance of patients on their physicians for information and guidance (Arrow 1963). These two insights yield implications for healthcare pricing and utilization that have not yet been explored.

Altruism encourages physicians to faithfully represent their patients’ interests. An altruistic physician will tend to economize on the use of scarce inputs and attempt to improve the well-being of their patients. On the other hand, the informational advantage of physicians creates a classic agency problem that physicians might exploit to pursue their own interests at the expense of their patients’ (for example, Dranove and White 1987; Blomqvist 2002; Emanuel and Emanuel 1992; Mooney and Ryan 1993; Zweifel, Breyer, and Kifmann 1997). These countervailing incentives produce conflicting implications for pricing. Self-interested physicians will respond to higher prices by performing more procedures. Altruistic physicians, on the other hand, will protect their patients from higher prices by performing fewer procedures. Prior literature has investigated these complex implications of physician altruism on a variety of outcomes, including physician labor supply, patient health, patient treatment plans, responses to reimbursement changes, optimal insurance design, and quality of care (Chone and Ma 2011; Clemens and Gottlieb 2014; Dickstein 2016; Dranove 1988; Ellis and McGuire 1990; Ellis and McGuire 1986; Godager and Wiesen 2013; Jack 2005; Jacobson et al. 2017; Liu and Ma 2013; McGuire 2000; Rochaix 1989; Glied and Zivin 2002).

Less attention has been paid to the influence of patient socioeconomic status on physician decision making. Intuitively, if physicians care about patient utility, then factors that affect marginal utility— such as patient wealth and income— might systematically alter how a physician behaves, even for otherwise clinically similar patients. Figure 1 offers some suggestive evidence of what this might mean empirically.

[Insert Figure 1 Here]
The figure reports a weighted price index over time for Medicare, alongside an index of utilization by high-income and low-income patients. The price index measures the average change in reimbursements for a fixed basket of procedures that are weighted by the intensity
required to perform them. In the wake of rapid acceleration in prices—possibly connected to two major Medicare reimbursement reforms implemented in 1997 and 1999—the utilization of high-income patients appeared to rise more rapidly than that of their low-income counterparts.

In this paper, we investigate theoretically and empirically how patient socioeconomic status influences altruistic physicians facing reimbursement changes. We rely on well-established models of physician behavior to explore how patient socioeconomic status influences physician behavior. Theoretically, we demonstrate that there are two components to the effect of socioeconomic status. First, when utilization is held fixed across all patients, physicians’ supply response to higher reimbursements will be larger (i.e., more positive) for richer patients. Richer patients face lower marginal disutility of price increases because of their higher incomes. Thus, on the margin, it is less costly for altruistic physicians to “harvest” higher utilization from these patients. Second, however, differences in utilization across richer and poorer patients always give rise to a countervailing “utilization effect” that we elucidate theoretically. Thus, economic theory predicts that the same physician might respond differently to a price change when treating a richer patient, even holding clinical considerations fixed. The direction of the effect becomes an empirical question of interest.

Empirically, we estimate the effect of patient socioeconomic status on physician supply responses by using two exogenous policy shocks to Medicare payments: the 1997 consolidation of geographic payment regions and the 1999 change in estimation of practice expenses. Our results indicate that a given physician’s supply response is stronger when she treats richer patients. Moreover, the variation in price elasticities matters quantitatively. Within physicians, average price elasticities vary from 0.02 to as high as 0.18, when treating patients in the bottom or top socioeconomic status deciles, respectively. Finally, we estimate that our two exogenous policy shocks increased utilization among high-income patients by 10% more than among low-income patients. This estimate accounts for about 53% of the divergence across income groups that we see in Figure 1.

The rest of the paper is organized as follows. In Section 2, we investigate the theoretical relationship between patient socioeconomic status and physician supply responses. In Section 3, we discuss the empirical approach for estimating the effects of socioeconomic status on supply responses. In Section 4, we present the empirical results, and Section 5 concludes.
2. Theoretical Framework

We study how variation in patient socioeconomic status influence the way altruistic physicians respond to price. We rely on a simple and stylized model of altruistic decision making that dates back to Becker (1957). The model has been used by many health economists before us to study physician behavior (cf, Clemens and Gottlieb 2014; Ellis and McGuire 1986; Ellis and McGuire 1990; McGuire 2000; McGuire and Pauly 1991; Dickstein 2016).

Consider the treatment of a particular patient by a particular physician. The physician produces health in the patient according to the strictly concave function $F(X)$, where $X$ is the level of medical care utilized. We focus on the case where the patient is exposed to some degree of cost-sharing for care, because we are interested in how physicians respond when price changes directly impact patient utility. The patient pays $\sigma(X; P)$ for $X$ amount of medical care, where $P$ is the price for medical care received by the physician, and $\sigma$ is the cost-sharing function that defines the patient’s out-of-pocket cost. Denoting partial derivatives with subscripts, we assume that $\sigma_p > 0$, $\sigma_X > 0$, and $\sigma_{XP} > 0$. In addition, we also assume $\sigma_{XX} = 0$, which rules out nonlinear cost-sharing arrangements. Coinsurance that asks patients to pay a fixed percentage of cost would satisfy all these assumptions. Finally, define the patient’s burden of all other medical care spending as $\pi$; this includes health insurance premiums and out-of-pocket spending on care given by providers other than this particular physician. Assume the representative patient derives strictly concave utility from consumption according to $u(I + vF(X) - \sigma(X; P) - \pi)$. $I$ is income, $v$ is the value of health, and both are measured in units of the same numeraire consumption good.

All medical decisions are made by the physician. This is a stylized assumption that helps focus on the incentives of the physician and motivate our empirical analysis of physician price-responses. The physician cares about her own utility and that of the patient, according to:

$$\max_X (1 - \alpha)z(PX - c(X)) + \alpha u(I + vF(X) - \pi - \sigma(X; P)),$$

The function $c(\cdot)$ is the physician’s strictly convex cost of providing medical care, and $z(\cdot)$ is her weakly concave utility from her own income. The degree of altruism towards the patient is $\alpha$. The first-order condition for medical care utilization can be written as:

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1 Prior to physician service provision, patients—in theory—choose their provider. Patient choice of physician, while quite an interesting problem, lies beyond the scope of our paper. We address its implications for our empirical analysis in Sections 3 and 4.
Notice that either $vF' - \sigma_X < 0$ or $P - c' < 0$.\footnote{In theory, there is a knife-edge case where $vF' - \sigma_X = P - c' = 0$ is satisfied for a given value of $X$. It is worth noting that a private payer may in some special cases have incentives to design insurance benefits such that total surplus is maximized, and this condition holds. However, we treat benefit design as exogenous, as it would be in public insurance. With exogenous benefit design, this is a rather idiosyncratic case that depends entirely on functional form. We abstract from it.} Therefore, medical care is strictly costly on the margin to either the consumer or the physician, respectively, but never both. Figure 2 depicts the conditions that determine which case prevails. When $vF'$ intersects $\sigma_X$ before $c'$ intersects $P$, we end up with the case $vF' - \sigma_X < 0$, where care is costly to the consumer on the margin. This corresponds to the left-hand panel of the figure (plot a), where $X_F < X_C$. Conversely, the opposite case obtains when $X_F > X_C$ (plot b).

From the patient’s perspective, $vF' - \sigma_X < 0$ implies “private under-use” of medical care in the sense that more utilization increases her utility. For notational convenience, we refer to $vF' - \sigma_X < 0$ as the case of “private over-use,” and we refer to $vF' - \sigma_X > 0$ as the case of “private under-use.” For clarity, these cases do not represent social under-use or over-use, but rather over-use and under-use from the patient’s private perspective. All else equal, private over-use is more likely when: marginal value product diminishes more quickly, marginal cost of medical care diminishes more slowly, patient out-of-pocket prices are higher, or physician reimbursements are lower.

### 2.1. Effect of price and income on utilization

Higher prices can either increase or decrease utilization depending on four distinct and potentially offsetting forces that we will characterize. Differentiating Equation (1) with respect to medical-care utilization results in:

$$\frac{\partial X}{\partial P} = \frac{(-\alpha u'\sigma_X - \alpha u''(vF' - \sigma_X)(\sigma_P) + (1 - \alpha)z' + (1 - \alpha)z''(P - c')X)}{(-D)} \tag{2}$$

The denominator is positive, because the second-order condition implies $D \equiv \alpha u''(vF' - \sigma_X)^2 + \alpha u'(vF'') + (1 - \alpha)z''(P - c')^2 + (1 - \alpha)z'(-c'') < 0$. The sign of the comparative static expression depends on the interplay among four distinct and countervailing forces.

1. **“Profitability effect” leads to higher output:** Higher prices raise the physician’s marginal financial return on providing care, because $(1 - \alpha)z' > 0$. 

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\[\alpha u' \ast (vF' - \sigma_X) + (1 - \alpha)z' \ast (P - c') = 0 \tag{1}\]
2. **“Substitution effect” leads to lower output**: Higher prices induce a substitution effect that makes medical care more expensive for the patient; all else equal; an altruistic physician cuts output in response, because \(-\alpha u'\sigma_X < 0\).

3. **“Patient income effect” leads to lower or higher output**: Higher prices make the patient poorer, and this encourages the physician to transfer additional “net consumption” to the patient. In the private over-use case, the physician cuts medical care utilization to accomplish this, because \(-\alpha u''(vF' - \sigma_X)(\sigma_p) < 0\). In the private under-use case, she raises medical care utilization to achieve the same end.

4. **“Physician income effect” leads to lower or higher output**: Higher prices make the physician richer, and this encourages her to transfer additional “net consumption” to the patient. In the private over-use case, the physician (weakly) cuts medical care utilization to accomplish this, because \((1 - \alpha)z''(P' - c')(X \leq 0\). In the private under-use case, the opposite occurs. Note this effect disappears when the physician’s objective function is quasi-linear in her own income, a case we explore in more detail below.

The effect of patient income on prices is analogous to the patient income effects described above. In the case of private over-use, physicians will cut utilization when patients are poorer, in an effort to make them better off. However, with private under-use, physicians will actually raise utilization for poorer patients to accomplish the same objective. These results become evident in another comparative static expression that follows from the first-order condition:

\[
\frac{\partial X}{\partial t} = \frac{[\alpha u''(vF' - \sigma_X)]}{(-D)}
\]  

(3)

This expression possesses a sign opposite to that of \(vF' - \sigma_X\). This implies that patient income will raise utilization in the case of private under-use, but it will lower utilization when there is private over-use.

### 2.2. Effect of income on physician supply response

We are particularly interested in how patient income influences the supply response of physicians – that is, in \(\frac{d}{dt} \frac{dx}{dp}\). Intuitively, there are at least two countervailing forces that govern the effect of patient income on physician supply response. The first is the direct effect of income,
which reduces the marginal disutility of price increases, $-\alpha u' \sigma_X p$. Since richer patients have lower marginal utility of wealth, price increases are less harmful to their welfare. Thus, physicians are more willing to harvest higher utilization (and earnings) from these patients when reimbursement goes up. When reimbursements go up by a fixed amount, therefore, physicians raise quantity by more when they are treating richer patients.

However, differences in utilization levels across income groups offset this direct income effect. The “utilization level effect” results in lower physician supply responses for richer patients. This effect is more nuanced than the direct income effect. We illustrate its mechanics for both the private over-use and under-use cases.

Start by considering the case of private over-use. In this case, medical care is costly on the margin to consumers. As a result, physicians find it optimal to provide more care to richer patients, who can better afford it. However, at higher levels of utilization, physician supply responses diminish. This obtains because patients with higher utilization suffer more harm from a given price increase; this is analogous to Shepard’s Lemma in consumer theory. Thus, an altruistic physician “protects” her richer, higher utilization patients by limiting her supply responses. Note that this variability in physician response does not follow from variability in the altruism parameter. Even if physician preferences for altruistic behavior are exogenous and fixed, a single physician may choose to behave differently towards clinically similar patients if they differ on socioeconomic dimensions.

The case of private under-use leads to the same qualitative result, although it proceeds a bit differently. Since medical care is valuable (not costly) to consumers on the margin, an increase in medical care utilization functions like an increase in consumption. For this reason, physicians provide more care to poorer patients, because they face a higher marginal utility of consumption. Moreover, in this case, higher levels of utilization magnify physician supply responses; this relationship is the reverse of what we see in the “private over-use” case and is akin to Shepard’s Lemma for a good with a negative price. The net result is that physicians limit supply responses for richer patients because they utilize less medical care.

**Figure 3** summarizes these results graphically. The figure shows how the price-utilization curve shifts and changes its slope with income. It depicts two levels of income, $I_1 > I_0$, and two levels of utilization, $X_1 > X_0$. The left-hand panel illustrates the case of private over-use, where higher income leads to more utilization at the same price level. Holding
utilization constant at either \( X_0 \) or \( X_1 \), when income goes up, the physician supply response strengthens in the sense that the price-utilization curve attains a more steeply positive slope. However, holding income constant and traveling along a given price-utilization curve, higher utilization limits the physician supply response. Thus, moving from point A to point B always results in a stronger, more positive, supply response, but the movement to point C might offset part or all of this change.

The right-hand panel illustrates the alternative case of private under-use, where higher income leads to less utilization at the same price level. Holding utilization constant, when income goes up, the supply response once again strengthens. At the same time, when we travel along a price-utilization curve, higher utilization leads to a smaller supply response. The net result is the same as it was in the earlier case: moving from point A to point B (i.e., holding utilization constant) results in a stronger supply response, but moving to point C produces an offsetting effect.

We now formalize these intuitive arguments. Since we are studying changes in a comparative static expression, it is necessary to impose structure on the third derivatives in the problem. We follow the conventional strategy of considering objective functions that can be approximated by quadratic polynomials (Becker and Murphy 1988; Chew, Epstein, and Segal 1991; Evans and Viscusi 1993; Finkelstein, Luttmer, and Notowidigdo 2013; Lillard and Weiss 1997). In particular, we impose the additional restrictions that \( u''', F''' \), and \( c''' \) are zero. In addition, we assume the physician’s objective function is linear in her own income – i.e., \( z \) is linear (Clemens and Gottlieb 2014). These conditions allow us to draw specific conclusions about how patient income influences physician supply response.

**Proposition 1**: Assume that \( U \) and \( F \) are strictly concave, \( z \) is linear, \( \sigma_X, \sigma_P, \sigma_{XP} > 0 \), and \( u''' = F''' = c''' = \sigma_{XX} = 0 \). At equilibrium utilization \( X^* \), if \( \frac{\partial X}{\partial P} > 0 \), then \( \frac{d}{dt} \frac{\partial X}{\partial P} \bigg|_{X^*} > 0 \) and \( \frac{d}{dt} \frac{\partial X}{\partial P} \bigg|_{X^*} < \frac{d}{dt} \frac{\partial X}{\partial P} \bigg|_{X^*} \).
This proposition implies that, for fixed $X$, increases in patient income strengthen physician supply responses in the empirically salient case where $\frac{\partial X}{\partial P} > 0$. However, variation in $X$ across income groups mitigates this result. Therefore, income will strengthen supply responses by less when medical care is allowed to vary, than it does when medical care is held fixed. We sketch the proof below and provide details in Appendix A.

Recall Equation (.), which lays out the expression for $\frac{\partial X}{\partial P}$. Define the numerator of Equation (.) as $N_P$. The change in the numerator of $\frac{\partial X}{\partial P}$ with respect to patient income is given by

$$\frac{\partial N_P}{\partial X} \frac{\partial X}{\partial I} + \frac{\partial N_P}{\partial I}.$$ 

The change in the denominator of $\frac{\partial X}{\partial P}$ with respect to patient income is given by

$$\frac{\partial (-D)}{\partial X} \frac{\partial X}{\partial I} + \frac{\partial (-D)}{\partial I}.$$ 

In the appendix, we prove that $\frac{\partial N_P}{\partial I} > 0$ and $\frac{\partial (-D)}{\partial I} < 0$. In the case where $\frac{\partial X}{\partial P} = \frac{N_P}{(-D)} > 0$, these two results prove that $\frac{d}{dI} \frac{\partial X}{\partial P} \bigg|_{X^*} > 0$, or that income strengthens the physician supply response when medical care utilization is held fixed. (Note that this last step cannot be guaranteed if $\frac{\partial X}{\partial P} < 0$.)

The proof of $\frac{d}{dI} \frac{\partial X}{\partial P} < \frac{d}{dI} \frac{\partial X}{\partial P} \bigg|_{X^*}$ proceeds case by case. In the case of private under-use, recall that $\frac{\partial X}{\partial I} < 0$. For this case, the appendix proves that $\frac{\partial N_P}{\partial X} > 0$ and $\frac{\partial (-D)}{\partial X} < 0$. Thus, more income leads to less medical care utilization; in turn, lower utilization weakens the physician supply response. Intuitively, lower utilization levels drive up marginal utility for richer patients, and thus encourages the physician to steward the patient’s resources more carefully.

In the case of private over-use, recall that $\frac{\partial X}{\partial I} > 0$. The appendix proves for this case that $\frac{\partial N_P}{\partial X} < 0$ and $\frac{\partial (-D)}{\partial X} > 0$. Here, more income leads to more medical care utilization, which limits physician supply responses. In this case, the increase in medical care utilization that occurs with income growth also drives up the patient’s marginal utility. In both cases, however, the variation in utilization across patients leads to smaller supply responses for richer patients, thus limiting the direct income effect.

\footnote{Prior studies by (Clemens and Gottlieb 2014), (Gruber 2013), and (Jacobson et al. 2017) find that the average effect of price on utilization in Medicare is positive, and our empirical analysis presented later confirms this as well. Nonetheless, it is worth noting that if the opposite result obtains, we can no longer sign $\frac{d}{dI} \frac{\partial X}{\partial P} \bigg|_{X^*}$ unambiguously.}
3. Empirical Analysis

An important feature of the theory is the possibility that the same physician may respond differently to price changes, depending solely on the socioeconomic status of the patient being treated. Thus, we wish to assess whether the same physician responds to price changes differently when treating patients of different types. Alternative theories featuring backward-bending supply curves or administratively set prices cannot readily explain why the same physician would exhibit different supply responses simply when treating patients from different socioeconomic groups. Our goal is not to rule out other theories, but rather to “rule in” ours. Multiple theories could be (and likely are) at work in parallel within the marketplace.

As illustrated in Figure 3, our theory demonstrates how \( \frac{dx}{dp} \) may vary with patient socioeconomic status. The direction of the effect is an empirical question of interest. We estimate \( \frac{d}{dl} \frac{dx}{dp} \) using several different measures of patient income. It is worth noting that our reduced form approach allows us to estimate price responses while holding price constant (i.e., movement from point A to point C in Figure 3). However, without a method for identifying a complete structural model, we will not be able to simultaneously identify how price responses compare when holding utilization constant (i.e., movement from point A to point B in Figure 3). Instead, we estimate the total effect of socioeconomic status on price and leave structural estimation to future research.

3.1. Data

To explore our hypotheses, we rely on data from 1993 to 2002 from the Medicare Current Beneficiary Survey (MCBS). The MCBS is a nationally representative dataset that follows approximately 11,500 Medicare beneficiaries per year, over four-year panels. It consists of both administrative payment files and patient surveys, and this linkage between claims and survey data makes the MCBS uniquely suitable for addressing our research question.

The administrative files provide information on the fee-for-service Physician/Supplier Part B claims. Each service provided is identified by a Healthcare Common Procedure Coding
System (HCPCS) code. These identifiers allow us to track individual physicians over time. We focus on only physicians providing medical services and procedures (i.e., Level 1 HCPCS codes). The patient surveys provide us with a rich set of covariates that allow us to identify patient socioeconomic statuses. We consider two proxies for socioeconomic status: (1) patient income—which includes information on pre-tax wages, Social and Supplemental Security Income, pensions, retirement income, interest from mutual funds and stocks, and other sources, and (2) the patient’s highest level of educational attainment.

According to the theory, physician supply response will be affected by patient socioeconomic status for a given medical service. Although the MCBS data does not provide sufficient variation for an analysis at the physician-patient-service level over time, we aggregate individual HCPCS codes to their corresponding Berenson-Eggers Type of Service (BETOS) code. BETOS codes consist of readily understood clinical categories that are relatively stable over time, and the categories include evaluation and management services, imaging and tests, major procedures, minor procedures, and all other procedures. This aggregation allows the supply response to differ across types of procedures for a given physician-patient encounter.

To obtain an accurate measure of prices that physicians face over time, we create a price index for each physician-BETOS pair. Specifically, for each physician, we identify the universe of procedures that she performs throughout our data period. The physician’s BETOS-specific price index in a given year is the weighted sum of the Medicare allowed charges for her basket of procedures within each BETOS code. The weights are constant over time, and they reflect the share of total relative value units (RVUs)—capturing differences in the time, skill training, and costs required to perform a procedure—associated with a procedure. Data on RVUs associated with each HCPCS are identified from the Federal Registers in 1993 to 2002. The price indices are inflation-adjusted to 2000$.

On average, the evaluation and management BETOS category consisted of 2.8 different HCPCS per physician, the imaging and tests category consisted of 5.6 different HCPCS per physician, and the major and minor procedures consisted of 1.8 and 2.4 different HCPCS per physician, respectively.

4 We exclude Level II HCPCS codes, which are used primarily to identify supplies and products, such as durable medical equipment. Additionally, we use the specialty code to exclude suppliers and providers in specialties which do not require an MD or DO degree (e.g., optometry, physical therapists, social workers, nurses, etc.).

5 The RVU-weights come from summing work, practice, and malpractice RVUs associated with a given HCPCS. These RVUs are the average RVU during the 1993 to 2002 time period.
[Insert]
Table 1 Here]
Table 1 shows summary statistics by patients with below-median income (Columns 1 and 2) and above-median income (Columns 3 and 4). For the low-income group, the mean annual income (in 2000$) is roughly $8,575 and the average patient has 10 years of education. In contrast, the mean annual income in the high-income group is $36,987 and patients have on average 12.75 years of education. Relative to the low-income group, the high-income group consists of more married, White, non-Hispanic men. While the high-income group patients use fewer RVUs, they have a higher price index.

3.2. The Medicare Payment Structure and Relevant Policy Shocks

For each HCPCS, CMS calculates a payment based on three factors: (1) the RVU, (2) a geographic adjustment factor (GAF), and (3) a conversion factor (CF). While RVUs are procedure-specific, GAFs are region-specific, so they account for geographic variation in the cost of providing services. The CF is a nationally uniform adjustment factor that converts RVUs into a dollar amount. This factor is updated annually by CMS according to a formula specified by statute, but Congress can and has overridden the statutorily defined formula.

To measure price elasticities, we need to identify payment changes within a market that are independent of patient demand, technological change, and supply. If we rely on changes to the overall Medicare payment rate, we will capture variation from RVUs, GAFs, and the CFs. Because GAFs are set across several different markets and the CF is one number set nationally, these two components of Medicare pricing are likely exogenous to dynamics that a given physician faces. However, variation in RVUs may not be exogenous within a market over time. At least once every five years, about 138 physicians from the Specialty Society Relative Value Committee (RUC) and its advisory committee convene to re-evaluate the work component of RVUs, which reflects procedure-specific differences in physician time, skill, and training. If adjustments in work RVUs are systematically correlated with demand, then price elasticity estimates based on work RVU variation may be biased.

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6 On average, self-reported income in our sample is on par with administrative data: The Social Security Administration reports that the median income for individuals 65 and older was $26,600 in 2010.

7 The exact formula for calculating Medicare payments is given by: \( \text{Pay} = \left[ RVU_W \cdot GPCI_W + RVU_{PE} \cdot GPCI_{PE} + RVU_{MP} \cdot GPCI_{MP} \right] \times CF \), where \( W \) indexes the work component, \( PE \) indexes the practice expense component, and \( MP \) indexes the malpractice expense component. GPCI represents the geographic practice cost indices, and CF is the conversion factor.

8 GAF is a weighted sum of the work, practice expense, and malpractice GPCCIs. Details can be found in MaCurdy et al. (2012).

9 The CF in 2013 was $36.61 per RVU. Congress overrode this formula in 1998, 2009, and 2011.
We address the potential endogeneity by relying on two policy shocks in Medicare pricing. The first major policy shock occurred in 1997 when the Healthcare Financing Administration (HCFA) consolidated the number of geographic payment regions—known as Medicare Payment Localities (MPLs) from 210 distinct MPLs to only 89 distinct MPLs in 1997. Discussed in Clemens and Gottlieb (2014), this consolidation generated differential price shocks across county groupings within a state. While some states were unaffected by this policy, in about 26 states, the variation in reimbursement rates across counties was either significantly reduced or eliminated because multiple regions were collapsed into one single payment area.

In contrast to the 1997 shock that differentially affected geographies (and hence all services for a given physician uniformly), a second major policy shock in 1999 created differential changes across services. Prior to 1999, the practice expense RVU components (PE-RVUs) were measured using prevailing charges. However, Section 121 of the Social Security Amendments of 1994 and the Balanced Budget Act of 1997 mandated two changes to PE-RVUs to be phased in over a four-year period from 1999 to 2002. First, PE-RVUs were to be determined by relative costs, instead of prevailing charges. Second, PE-RVUs were modified to better account for cost differences of performing a procedure in a “facility”—such as a hospital, skilled nursing facility, or ambulatory surgical center—versus a “non-facility,” such as an office or clinic.10

[Insert Figure 4 Here]

Using data from Federal Register reports, we depict in Figure 4 the variation in the GAF and PE-RVU components of Medicare reimbursements over time. Plot (a) shows the change in GAF among counties that were affected by the 1997 consolidation versus those that were unaffected. Much of the pre-1997 differentiation across counties was eliminated post-1997. Plot (b) illustrates the change in average facility and non-facility PE-RVUs across HCPCS over time. While the transition from charge- to resource-based estimations was phased in over a four-year period, the differentiation between facility and non-facility RVUs occurred immediately and created a sudden drop in average PE-RVUs. As Appendix Figure B1 depicts, much of the observed drop in PE-RVUs in 1999 comes from changes in the non-facility estimates. Changes in the other components of Medicare reimbursements are also discussed in Appendix B.

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10 Prior to 1999, the non-facility PE-RVU was simply 50% if the facility PE-RVU (Maxwell and Zuckerman 2007). We provide additional details regarding this policy change in Appendix B.
3.3. Empirical Approach

IDENTIFYING EXOGENOUS PRICE VARIATION

As discussed in Section 3.2, there are several reasons why Medicare reimbursement changes may not be exogenous. Given the political nature of RVU changes, more popular procedures may draw higher Medicare payment increases. Alternatively, changes in payments may reflect recent or contemporaneous changes in the cost of performing a given procedure. If costs are serially correlated, then changes in overall payment may be correlated with changes in costs. Finally, CMS updates RVUs based on comments submitted by physicians, health care workers, and professional associations and societies, increasing the likelihood of payment changes being correlated with other local supply factors (Federal Register 1999).

In light of the potential threats to exogeneity, we use the 1997 geographic-specific shock and the 1999 PE-RVU procedure-specific shock for identification. These two shocks generated exogenous variation in Medicare reimbursements that is arguably unrelated to the local demand for and supply of services. We use them as instruments for observed Medicare payments. Our first stage identifies the predictability of PE-RVU and GAF changes on overall Medicare payment changes while controlling for other covariates.

To isolate changes in GAF that are due to the 1997 policy change, our GAF instrument is calculated as the change in GAF from 1996 to 1997 that a given physician experiences. Specifically, in years prior to 1997, the instrument is equal to zero, and from 1997 onward, the instrument equals the one-time 1996 to 1997 change in GAF.

Our second instrument isolates changes due to the 1999 PE-policy change. The PE-RVU instrument equals zero prior to 1999. From 1999 to 2002 when the new cost-based methodology was phased in, the instrument equals the annual change in each physician’s PE-RVU index. Note that the 1999 policy shock differentially affected payments for procedures performed in a facility (e.g., hospital, ambulatory surgical center, skilled nursing facility) versus a non-facility setting (e.g., office, clinic), and as a result, physicians may have shifted services from one facility type to other. Therefore, physicians may have responded by altering their mix of facility versus non-facility procedures. To eliminate these physician responses from our instrument, we hold

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11 Although CMS uses the decennial census to determine certain indices, such as employee wage indices, it also uses the most recent retrospective data to determine other indices, such as office rental expenses.
constant the share of a given service performed in the facility setting at the pre-policy years. Specifically, for physician \( i \) performing HCPCS \( h \) in year \( t \), we calculate:

\[
\text{PERVU}_{ist} = \frac{s_{ih}}{s_{ih}} \cdot \text{PERVU}^f_t + (1 - \frac{s_{ih}}{s_{ih}}) \cdot \text{PERVU}^{nf}_t
\]

where the \( f \) and \( nf \) superscripts denote facility and non-facility components, respectively, and \( \frac{s_{ih}}{s_{ih}} \) denotes the average share of services from 1996 to 1998 that were performed in a facility setting for a given physician-HCPCS. Next, we create a PE-RVU index \( \hat{\text{PERVU}}_{ist} \), which is a weighted sum of each physician’s BETOS-specific basket of procedures \( s \). The weights, which are constant over time, are the same as those used in constructing the physician price index described in Section 3.1. Finally, we calculate the annual change in \( \hat{\text{PERVU}}_{ist} \) for the policy transition years 1999 to 2002.

The two instruments defined above result in the following first-stage equation:

\[
\log(P_{ist}) = \alpha + \beta_1 \Delta GAF_{it} + \beta_2 \Delta \hat{\text{PERVU}}_{ist} + \Gamma X_{jt} + \xi_s + \eta_t + \nu_{ist}.
\]  \( P_{ist} \) is the physician’s BETOS-specific price index as described in Section 3.1. We additionally control for BETOS-category fixed effects \( (\xi_s) \); year fixed effects \( (\eta_t) \), and a set of patient characteristics \( (X_{jt}) \), including age and indicators for male, White, Black, Hispanic, and married. \( \nu_{ist} \) is an idiosyncratic error term. Appendix Figure B2 plots the price variation we capture from each of these instruments. Plot (a) shows the change in the geographic GAF consolidation from 1996 to 1997, whereas plot (b) shows the annual change in the PE-RVU physician baskets from 1998 to 2002.

**Describing Variation in Physician Supply Responses**

With our first-stage estimates in hand, we can characterize the distribution of physician supply responses within patient socioeconomic status groups. In our initial analyses, the second-stage equation is a random coefficients model of the following form:

\[
\log(RVU_{ijst}) = (\alpha + a_i) + [\beta + b_i] \log(P_{ist}) + \Gamma X_{jt} + \xi_s + \eta_t + \epsilon_{ijst}
\]  \( RVU_{ijst} \) measures the total RVUs that patient \( j \) received from physician \( i \) in year \( t \) for BETOS services \( s \). As noted above, we control for patient characteristics, BETOS-category fixed effects, and year fixed effects. \( \epsilon_{ijst} \) is an idiosyncratic error term. This approach allows each physician to have a random slope \( (b_i) \) and intercept \( (a_i) \), and it shrinks physician-specific elasticities towards the mean. We estimate Equation \( \log(P_{ist}) = \alpha + \beta_1 \Delta GAF_{it} + \beta_2 \Delta \hat{\text{PERVU}}_{ist} + \Gamma X_{jt} + \xi_s + \)
\[\eta_t + \nu_{ist} \quad (4)\] for three terciles of patient income and three terciles of patient education. For this estimation, we limit our sample to physicians who see patients in each tercile of income and education to mitigate the effect of patient sorting across physicians.\(^\text{12}\)

**Identifying the Impact of Patient Socioeconomic Status on Physician Price Responses**

The prior analysis describes the distribution of physician responses, but it does not specifically address how a given physician changes her behavior in response to patient socioeconomic status. To identify this effect, we estimate an alternative second stage equation, using the following interacted fixed-effects model:

\[
\log(RVU_{ijst}) = \alpha + \beta_1 \log(P_{ist}) + \beta_2 [\log(P_{ist}) * Z_{jt}] + \beta_3 Z_{jt} + \Gamma X_{jt} + \xi_s + \eta_t + \phi_i + \epsilon_{ibjt} \quad (6)
\]

where \(Z_{jt}\) represents measures of patient socioeconomic status, including log patient income or patient education. In addition to patient covariates, year fixed effects, and BETOS-category fixed effects, we control for physician fixed effects (\(\phi_i\)). When estimating this model, we add the physician fixed effects to the first-stage equation (4) as well. We cluster standard errors at the 210 pre-1997 MPLs (i.e., the geographic payment regions), and we scale the sample weights so that each physician possesses equal weight.

Because of the interaction terms, we require additional first-stage equations. The interacted variable \(\log(P_{ist}) \times Z_{jt}\) is instrumented by \(\Delta GAF_{it} \times Z_{jt}\) and \(\Delta PERV_{ist} \times Z_{jt}\). Following Aiken and West, we demean the price and socioeconomic status variables, \(\log(P_{ist})\) and \(Z_{jt}\), so that \(\beta_2\) represents the relationship between patient socioeconomic status and physician supply responses at the average price and average patient socioeconomic status. If \(\beta_2 > 0\), then physician supply responses are stronger (i.e., more positive) among richer patients.

**Mitigating Bias and Assessing Validity**

While our instruments ensure that we examine exogenous changes in price, we lack instruments for socioeconomic status. This leads to a few sources of potential bias. First, there may be sorting between patients and physicians such that some patients seek out more altruistic physicians. To mitigate this bias, we present within-physician estimates using equation (6). Second, the length of the physician-patient relationship may affect the physician’s degree of

\(^{12}\) In Appendix Figure B4, we explore heterogeneity in physician price responses across BETOS categories. There are considerable differences in response across codes, with evaluation and management procedures having more positive elasticities than to imaging or tests.
altruism across patients. Although the panels of the MCBS data are too short to accurately track physician-patient relationship lengths, the existing literature suggests that poorer patients are more likely to have shorter-tenured relationships with their physicians (Fairbrother et al. 2004; Donahue, Ashkin, and Pathman 2005; Sommers and Rosenbaum 2011). As such, this mechanism is likely to make physicians more altruistic towards richer patients, effectively mitigating any differences across patient socioeconomic status measured by $\beta_2$ in Equation (5). Thus, our estimates may understate the extent to which socioeconomic status affects physician supply responses.

There is well-documented variation in health status across socioeconomic groups. Thus, we are also concerned that our estimated effects of “socioeconomic status” are simply effects of variation in baseline health. As a test for this bias, we assess how the coefficients change as we control for a varying number of observable controls for patient health characteristics (Altonji, Elder, and Taber 2005; Oster 2016).\footnote{Because $R^2$ values have little statistical meaning in the 2SLS setting, we cannot bound our estimates precisely as prescribed by (Oster 2016)} Detailed in Appendix B, we construct measures from claims and survey data, including the Charlson Comorbidity Index (CCI), body mass index, and eight indicators for having a broken hip, cancer, diabetes, heart disease, hypertension, lung disease, neurological disease, or self-reported difficulty with physical functioning. The summary statistics for these variables are shown in

13
Table 1. While the higher income patients have a higher CCI and marginally higher rates of cancer, they have lower rates of disease incidence as measured by the other eight health metrics.

Next, in the absence of an experiment in socioeconomic status, we cannot definitively rule out selection bias from the sorting of physicians and patients. Fortunately, much of the empirical literature suggests that the average patients may not actively or aggressively seek out physicians with particular characteristics: only a minority of patients actively search for a physician, and since many patients may have access to only one provider offering a given service, shopping for services across providers is estimated to occur in around 7% of health care spending (Harris, 2003; Frost and Newman 2016). If richer patients seek out physicians who provide more services, our estimated variation in the price elasticity will be conservative.

Finally, to ensure that our estimates represent a direct policy response, we also estimate the full parametric event study. Modifying Equation (6), we interact the key variables of interest—log($P_{ist}$) and [log($P_{ist}$) × $Z_{ij}$] — with single-year dummies. We then instrument with $\Delta GAF_{it}$, $\Delta PERV_{U_{ist}}$, $\Delta GAF_{it} \times Z_{ij}$, $\Delta PERV_{U_{ist}} \times Z_{ij}$, each of which is also interacted with single-year dummies as well. In this event study specification, we omit the dummy for 1996 so that physician responses are estimated relative to a pre-policy shock year. We present the event study evidence graphically for ease of inspection. We highlight the differential in physician price responses across patient socioeconomic statuses by plotting the response for patients with income or education at two standard deviations above or below the mean.14

4. Results

4.1. Heterogeneity in Physician Price Responses

[Insert Figure 5 Here]

First, we explore the heterogeneity in physician price responses by estimating the random coefficients model specified in Equations () and (5). Figure 5 plots the distribution of random coefficients for each physician, by three levels of patient income (plot a) or education (plot b).

14 This is equivalent to examining: $\beta_{1t} + \beta_{2t} \times (Z_{ij} \pm 2\sigma_Z)$. Standard errors are calculated according to (Aiken and West 1991):

$$\sqrt{\text{var}(\beta_{1t}) + 2(\bar{Z}_{ij} \pm 2\sigma_Z) \text{cov}(\beta_{1t}, \beta_{2t}) + (\bar{Z}_{ij} \pm 2\sigma_Z)^2 \text{var}(\beta_{2t})}.$$ Following (Clemens and Gottlieb 2014), the change in GAF and PE-RVU instruments are constant over the pre-treatment time period so that pre-trends can be estimated.
The plots highlight a rightward shift in the physician elasticity distribution as patient income and education rise. In other words, physician supply responses are stronger and more positive among higher terciles of patient income and education. In estimating the random coefficients model, we limit our sample to physicians who treat patients in all three terciles of the patient income and education distribution. Therefore, the rightward shift is not driven by different physicians seeing patients in different socioeconomic strata. Instead, it provides suggestive evidence that supply responses differ across patient socioeconomic strata. This figure highlights the heterogeneity in pricing dynamics across physicians, a fact that can be easily masked when estimating average price elasticities.

4.2. Within-Physician Changes in Supply Response

We next conduct the interacted fixed-effects estimation. Table 2 presents the results. In Panel A, we estimate the effects without any controls for patient health; Panel B repeats the same analysis with the full set of controls for patient health (described in Section 3.3). Comparing the two specifications helps us assess whether variation in patient health across socioeconomic status groups contaminates the estimated effects of interest.

The table shows that, on average, price responses are positive. This is consistent with the assumption of \( \frac{dX}{dP} > 0 \) in Proposition 1 and with prior empirical literature (Clemens and Gottlieb, 2014). Moreover, the negative coefficient on income suggests we are in the case of private under-use where \( \frac{dX}{dI} < 0 \) (Figure 3, Panel b). Since all patients in our sample have Medicare coverage (with some having additional coverage), it is perhaps not surprising that we find marginal out-of-pocket costs to be lower than marginal benefits.\(^{15}\) In any event, the main effect sizes of income on utilization are modest, with a 10% increase in income reducing utilization by 0.07% and an additional year of education reducing utilization by 0.01%.

In columns (2) to (4), we examine the interaction effects between patient socioeconomic status and physician responses. All interaction effects are positive, indicating that physician respond more positively to price increases for patients with higher socioeconomic status. A 10% increase in patient income is associated with an increase of 0.05 in the price elasticity, or a 50% increase in patient income is associated with an increase of 0.05 in the price elasticity, or a 50% increase in patient income is associated with an increase of 0.05 in the price elasticity, or a 50%

\(^{15}\) It is worth reiterating that private under-use is not inconsistent with social over-use.
increase from the mean elasticity of 0.095. An additional year of education is correlated with a 0.014 unit increase in price elasticity, an 11% increase from the mean elasticity of 0.122.

Finally, comparing the top and bottom panels of the table reveals that the estimated interaction terms do not change appreciably, if at all, when controlling for additional underlying characteristics of patient health. The education interaction terms are unchanged by the introduction of observable health controls. The income interaction increases modestly—by about 1.14% (equivalent to 3.5% of the associated standard error). This provides some comfort and suggests that the estimated interactions may not simply be proxies for the relationship between patient health and physician supply responses.

**Table 2** also presents some regression diagnostics. The first stage F-statistics, the Hansen J-statistic, and the C-statistic test for endogeneity are all reported under each regression. The F-statistic ranges from 21 to 62, thereby exceeding the “rule of thumb” cut-off of 10 (Olea and Pflueger 2013; Staiger and Stock 1997; Stock and Yogo 2005). We test whether we should use one instrument or two by performing the Sargan-Hansen test, which reveals that the overidentifying restrictions are not rejected: the J-Statistic consistently has p-values above 0.05 and above 0.1 in most specifications. Therefore, we rely on both instruments. Finally, to evaluate the need for instrumental variables, we calculate the C-statistic under the null that exogeneity is supported by the data and both OLS and 2SLS are consistent estimators. This statistic is calculated by examining the difference of two Sargan-Hansen statistics: one where payments are treated as endogenous (i.e., 2SLS) and another where payments are treated as exogenous (i.e., OLS). The data reject OLS in favor of 2SLS at the 5% level of significance.

[Insert

---

16 Under homoscedasticity, this test is numerically equivalent to a Hausman test (Hayashi 2000). The C-statistic, unlike the Durbin-Wu-Hausman test, is robust to violations of homoskedasticity (Hansen 1982; Sargan 1958).
4.3. Assessing Validity

The coefficients from the parametric event study appear n
Figure 6. The graph represents changes in physician price responses, relative to the pre-policy year 1996, and the responses are estimated for a patient two standard deviations above and below the mean income and education. The pre-trends are not statistically different from zero, suggesting that our price shocks are not systematically correlated with quantity changes in the pre-reform period. Following 1997 (the GAF change), physician supply responses appear, and are consistently stronger for patients with income or education two standard deviations above the mean (income at $88,265 or education of 15 years) relative to their poorer counterparts (income at $6,332 or education of 4 years). This is consistent with our finding in Table 2 that supply responses are stronger for patients with higher socioeconomic status.

4.4 Implications for Medicare Reimbursement Reform

We explore the broader implications of our findings by examining the within-physician variability of price elasticities and the extent to which reimbursement reforms differentially affect patients in different socioeconomic strata.

In Figure 7, we calculate within-physician elasticities across the patient distribution for the average physician. This equates to calculating \( \hat{\beta}_1 + \hat{\beta}_2 Z_{jt} \) from Equation (6) at different points of the patient socioeconomic status distribution. We consider the median and interdecile ranges (10\(^{th}\), 50\(^{th}\), and 90\(^{th}\) percentiles) and test whether the average physician’s price response differs across these ranges using a block bootstrap approach that takes 1,000 draws, resampling at the physician level.

Figure 7 shows that within the average physician, the price elasticity ranges from 0.02 to 0.18 as a result of variation in patient socioeconomic status. The bootstrap errors indicate that the within-physician elasticity estimates at the 10\(^{th}\) and 50\(^{th}\) percentiles of patient income and education are statistically different, as well as the within-physician elasticity estimates at the 50\(^{th}\) and 90\(^{th}\) percentiles of patient income and education.

In general, these numbers suggest that Medicare reimbursement reforms will have unequal effects across socioeconomic groups. Figure 8 illustrates what this means for the effects of the two reforms studied. The red and blue curves reflect the actual percentage growth in
utilization for high- and low-income patients.\textsuperscript{17} They are computed identically to the curves in \textbf{Figure 1}, but reported in percentage growth terms for consistency with our estimates. The remaining two curves report the actual (solid grey) and predicted (black dashed) excess utilization growth for high-income patients. The red and blue curves imply that high-income patients experienced an increase in RVUs of 104\% over this entire period, compared to 82\% for the low-income counterparts. This translates into 22.2 percentage points more actual growth for the high-income patients, as depicted in the solid grey curve. Finally, the black dashed line illustrates that our estimated differences in physician supply responses explain 10.4 percentage points of this excess growth, or about 53\%.

According to the solid grey curve, actual utilization trends seem to take one or two years to respond to the Medicare policy shock. While the precise dynamics of how and when physicians respond to reimbursement changes remains beyond the scope of this paper, we note this general pattern is consistent with prior literature on the effects of Medicare reimbursement reforms (Clemens and Gottlieb 2014).\textsuperscript{18}

\textbf{5. Conclusion}

In this paper, we present a model of decision-making by physicians with imperfect altruism towards their patients. We show that the same physician may respond differently to price changes when treating patients with different socioeconomic status. We compute the size and direction of this effect empirically: within-physician price elasticities vary from 0.02 to 0.18 across the 10\textsuperscript{th} and 90\textsuperscript{th} percentiles of the patient socioeconomic status distribution. On average, the Medicare policy shocks studied increase utilization by 10.4 percentage points more for higher income patients.

While our measures of price elasticities rely on plausibly exogenous variation, future research could study not only exogenous changes in reimbursement, but also natural experiments in patient socioeconomic status across physicians. In addition, we have taken as given that physicians choose treatments on behalf of their patients. In some cases, patients may have more influence over the outcome; such shared decision–making, which can be influenced by the length

\textsuperscript{17} High- and low-income patients are defined as those with above- and below-median income levels. We follow the trend in total utilization for the median patient.

\textsuperscript{18} In (Clemens and Gottlieb 2014), responses to the GAF policy response peaks in 1999.
of the physician-patient relationship. The implications of the physician-patient relationship for price elasticity represents another fertile area for future research using longer-term data.

The health economics literature has long recognized the tension between physician altruism and physician profit-maximization, and in prior research, economists have developed elegant and tractable models accounting for this tension. We exploit these tools to investigate how patient socioeconomic status impacts pricing and utilization behavior in healthcare markets. Our analysis demonstrates that the unique preferences and objectives of physicians create price responses that vary across socioeconomic groups. Our empirical results provide guidance for policymakers and researchers. Heterogeneity in the effect of reimbursement changes is to be expected, and policymakers ought to account for the unequal effects of pricing reforms on patients in different socioeconomic strata. Suitably directed empirical analysis can help inform more targeted approaches to reforming reimbursement policy, particularly when the goal is to protect vulnerable socioeconomic groups.

REFERENCES


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Glied, Sherry, and Joshua Graff Zivin. 2002. 'How do doctors behave when some (but not all) of their patients are in managed care?', *J Health Econ*, 21: 337-53.


Figure 1: Variation in Price, Utilization, and Income

(a) Utilization by Patient Income over Time

![Graph showing median RVUs per patient over time for patient income below ("low income") and above ("high income") the median income.]

(b) Physician Price Index over Time

![Graph showing median price index for physicians over time.]

Notes: Data from the Federal Register and MCBS. Plot (a) shows the median RVUs per physician-patient over time for patient income below ("low income") and above ("high income") the median income. Plot (b) shows the median price index for physicians. The price index is calculated as the 1993-utilization weighted average of prices across all services that a physician performs during the time period.
Figure 2: Determinants of Optimal Utilization

(a) Private Over-Use: $vF' - \sigma_X < 0$

(b) Private Under-Use: $vF' - \sigma_X > 0$

Figure 3: Impact of Income on Physician Supply Responses

(a) Private Over-Use: $vF' - \sigma_X < 0$

(b) Private Under-Use: $vF' - \sigma_X > 0$
Figure 4: Shocks in Medicare Payment Components

(a) Geographic Consolidation of Payment Regions (GAF)

(b) Change in Reimbursement Calculation Method (PE-RVU)

Notes: Data from the Federal Register 1992-2003. The sample is limited to HCPS observed in all years. Plot (a) shows the average GAF across counties that were or were not affected by the 1997 consolidation of payment regions from 210 to 89 payment regions. Plot (b) depicts the change in average PE-RVUs across HCPCS. In 1999, HCFA phased in a cost-based methodology of calculating PE-RVUs and more accurately priced non-facility services.
Figure 5: Physician-Specific Random Coefficients, by Patient Socioeconomic Status

a. Patient Income

b. Patient Education

Notes: Data from the Federal Register and MCBS. We estimate random coefficients model for each physician, stratified by patient income terciles (plot a) or patient education terciles (plot b). In each figure, we consider only physicians who have patients in all three income or education groups.
Figure 6: Impact of Price Policy Shocks on Quantity Response, By Patient Socioeconomic Status

(a) Patient Income

(b) Patient Education

Notes: Data from the Federal Register and MCBS. This figure shows the coefficients from a parametric event study of Equation (7) where we interact year dummies with log price and log price multiplied by patient socioeconomic status. We omit 1996 as the reference year. The resulting coefficients—equivalent to year-specific estimates of \((\hat{\beta}_1 + \hat{\beta}_2 Z)\)—are plotted. The blue (red) lines illustrate price responses when a physician sees patients with income or education at two standard deviations above (below) the mean.
Figure 7: Elasticities Within Physician, Across Patient Socioeconomic Status

Notes: Data from the Federal Register and MCBS. This figure shows the within-physician quantity response to a 10% price change. The 10th, 50th, and 90th percentile corresponds to patients with log incomes of 8.7, 9.6, 10.7 or education levels of 6.5, 12, and 19 years. The “All” category considers patients with both income and education in the 10th, 50th, or 90th percentile. *** indicates that elasticity in the bar and the right of the bar (i.e., 50th and 10th percentile, or 90th and 50th percentile) are statistically different at the 1% level.
Notes: Data from the Federal Register and MCBS. This figure examines the difference in cumulative percent changes in RVU for high- and low-income patients. High (low) income patients are those with income above (below) the median, and we examine changes in the total utilization for the median patient within each income group. The red and blue lines show actual percent changes in utilization, relative to 1996 (akin to Figure 1), and the grey line shows their difference (i.e., high – low income percent changes). The black line is the difference in percent changes in predicted utilization, as extracted from our estimate of Equation (8).
Table 1: Summary Statistics

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<th>High Patient Income</th>
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<td>SD (2)</td>
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<tr>
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<td>Total RVUs</td>
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No. Observations 317,778 327,912

Notes: Data from the Federal Register and MCBS at the physician, patient, BETOS group, year level. We divide the sample equally between low- and high-income patients.
### Table 2: Interacted Regression Analyses

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<td>2.17e-05</td>
<td>4.15e-05</td>
</tr>
</tbody>
</table>

|                |                |                |                |                |
| **Panel B: Health Controls** |                |                |                |                |
| Log(P)         | 0.127***       | 0.104***       | 0.117***       | 0.105***       |
|                | (0.0345)       | (0.0357)       | (0.0346)       | (0.0352)       |
| Log(P) x Log(Income) | 0.0508***    | 0.0314**       |                |                |
|                | (0.0137)       |                |                |                |
| Log(P) x Education |               | 0.0140***      | 0.0109***      |                |
|                |                | (0.00384)      | (0.00397)      |                |
| Log(Income)    | -0.00369       | -0.0105***     | -0.00306       | -0.00738**     |
|                | (0.00315)      | (0.00312)      | (0.00322)      | (0.00306)      |
| Log(Education) | -0.000698      | -0.000547      | -0.00187*      | -0.00139       |
|                | (0.000748)     | (0.000747)     | (0.00100)      | (0.00102)      |
| No Observations | 589,663        | 589,663        | 589,663        | 589,663        |
| No Physicians  | 97,931         | 97,931         | 97,931         | 97,931         |
| First Stage F-Statistic | 62.16          | 29.32          | 33.33          | 21.07          |
| Hansen J-Statistic | 0.336         | 0.167          | 0.361          | 0.0876         |
| Endogeneity Test | 0.000134     | 3.18e-06       | 4.10e-06       | 9.10e-06       |

**Notes:** Data from the Federal Register and MCBS. All regressions control for patient characteristics (male, white, black, Hispanic, age, married, log income, and years of education), physician fixed effects, BETOS-category fixed effects, and year fixed effects. The variables log(price), log(income), and education are demeaned. Standard errors, shown in parentheses, are clustered by the pre-1997 MPL. **5 percent level, ***1 percent level.
Appendix A: Mathematical Appendix

We provide the detailed math accompanying propositions made in the paper. As laid out in the paper, we make the following assumptions:

\[ u''' = 0, z' = 0, z''' = 0 \]
\[ F'' < 0, c'' > 0 \]
\[ F''' = 0, c''' = 0 \]
\[ \sigma_X > 0, \sigma_P > 0, \sigma_{XP} > 0, \sigma_{XX} = 0 \]

Physicians maximize the following problem statement:

\[
\max_X (1 - \alpha)z(PX - c(X)) + \alpha u(I + vF(X) - \pi - \sigma(X; P))
\]

The first-order condition is:

\[
\alpha u' * (vF' - \sigma_X) + (1 - \alpha)z' * (P - c') = 0
\]

The comparative static of price on utilization is given by:

\[
\frac{\partial X}{\partial P} = \frac{(-\alpha u' \sigma_{XP} - \alpha u''(vF' - \sigma_X)(\sigma_P) + (1 - \alpha)z' + (1 - \alpha)z''(P - c')X)}{(-D)}
\]

where \( D \equiv \alpha u''(vF' - \sigma_X)^2 + \alpha u'(vF'') + (1 - \alpha)z''(P - c')^2 + (1 - \alpha)z'(-c'') < 0. \)

Below, we prove Proposition 1 for when there is private over-use (case 1) and private under-use (case 2).

A.1. Case 1: Private Over-use: \( vF' - \sigma_X < 0 \)

In the case of private over-use, the effect of income on utilization is positive because

\[
\frac{\partial X}{\partial I} = \frac{[\alpha u''(vF' - \sigma_X)]}{(-D)} > 0
\]

Higher income results in higher medical care utilization. Next, we establish a few useful lemmas in the case of private over-use.
Define:

\[ N_P \equiv (-\alpha u' \sigma_{XP} - \alpha u'' (vF' - \sigma_X) \sigma_P + (1 - \alpha) z' + (1 - \alpha) z'' (P - c') X) \]

\[ N_I \equiv [\alpha u'' (vF' - \sigma_X)] \]

**Lemma 1: Prove** \( \frac{\partial (-D)}{\partial X} > 0 \).

Note that \( \frac{\partial (-D)}{\partial X} \) has the following four components:

\[ \Gamma_1^1 \equiv -\alpha u''' (vF' - \sigma_X)^3 - \alpha u'' 2(vF' - \sigma_X)(vF'' - \sigma_{XX}) > 0 \]

where this result follows because \( u''' \geq 0, u'' < 0, F'' < 0, \) and \( \sigma_{XX} = 0 \).

\[ \Gamma_1^2 \equiv -\alpha u'' (vF' - \sigma_X) - \alpha u'(vF''') > 0 \]

Where this result follows because \( F_{XXX} \leq 0 \).

\[ \Gamma_3^1 \equiv -(1 - \alpha) z''' (P - c')^3 - (1 - \alpha) z'' 2(P - c')(c''') \]

This result follows so long as \( c''' \geq 0 \) and \( z'' = 0 \). QED

**Lemma 2: Prove** \( \frac{\partial N_P}{\partial X} < 0 \)

Note that \( \frac{\partial N_P}{\partial X} \) has the following four components:

\[ \Gamma_1^2 \equiv -\alpha u'' \sigma_{XP} (vF' - \sigma_X) < 0 \]

This result follows by our case assumption.

\[ \Gamma_2^2 \equiv \frac{\partial (-\alpha u'' (vF' - \sigma_X) \sigma_P)}{\partial X} \]

\[ = -\alpha u''' (vF' - \sigma_X)^2 \sigma_p - \alpha u''(vF'' - \sigma_{XX})(\sigma_P) - \alpha u'' (vF' - \sigma_X) \sigma_{PX} < 0 \]

This result follows so long as \( u''' \geq 0 \).

\[ \Gamma_3^2 \equiv (1 - \alpha) z'' (P - c') \leq 0 \]

This result follows so long as \( z'' \leq 0 \).

\[ \Gamma_4^2 \equiv (1 - \alpha) z''' (P - c')^2 X + (1 - \alpha) z'' (P - c' - c'' X) = 0 \]

This follows because \( z''' = 0 \), and \( z'' = 0 \). QED

**Lemma 3: Prove** \( \frac{\partial N_I}{\partial X} > 0 \)
Note that \( \frac{\partial N}{\partial X} = \alpha u''(vF' - \sigma_X) + \alpha u'''(vF' - \sigma_X)^2 > 0 \). This proves the result, because \( F'' < 0 \) and \( u''' \geq 0 \). QED

**Lemma 4:** Prove: \( \frac{\partial (-D)}{\partial l} < 0 \)

Note that \( \frac{\partial (-D)}{\partial l} = -\alpha u'''(vF' - \sigma_X)^2 - \alpha u''(vF') \). Since \( u''' \geq 0 \) and \( F'' < 0 \), this term is negative. QED

**Lemma 5:** Prove: \( \frac{\partial N_P}{\partial l} > 0 \)

\[ \frac{\partial N_P}{\partial l} = -\alpha u''\sigma_X - \alpha u'''(vF' - \sigma_X)(\sigma_P) > 0, \text{ because } u'' < 0 \text{ and } u''' \geq 0. \] QED

**Proof of Proposition 1 in the Case of Private Over-Use**

We will now prove Proposition 1 for the private over-use case, or specifically: if \( vF' - \sigma_X < 0 \) and \( \frac{\partial X}{\partial P} > 0 \), then \( \frac{d}{dl} \frac{\partial X}{\partial P} \bigg|_{X^*} > 0 \) and \( \frac{d}{dl} \frac{\partial X}{\partial P} < \frac{d}{dl} \frac{\partial X}{\partial P} \bigg|_{X^*} \).

For fixed \( X \), \( \frac{d}{dl} \frac{\partial X}{\partial P} = \frac{\frac{\partial N_P}{\partial l}(-D) + \frac{\partial (-D)}{\partial l}(N_P)}{(-D)^2} \). Recall that \( \frac{\partial N_P}{\partial l} > 0 \) and \( \frac{\partial (-D)}{\partial l} < 0 \), and when \( \frac{\partial X}{\partial P} > 0 \), it implies that \( N_P > 0 \). This proves that \( \frac{d}{dl} \frac{\partial X}{\partial P} \bigg|_{X^*} > 0 \).

Next, observe that the total change in the numerator of \( \frac{\partial X}{\partial P} \) with respect to patient income is given by: \( \frac{\partial N_P}{\partial X} \frac{\partial X}{\partial l} + \frac{\partial N_P}{\partial l} \). Since \( \frac{\partial N_P}{\partial X} < 0 \) and \( \frac{\partial X}{\partial l} > 0 \), it follows that \( \frac{dN_P}{dl} < \frac{\partial N_P}{\partial l} \). Similarly, the total change in the denominator with respect to patient income is given by: \( \frac{\partial (-D)}{\partial X} \frac{\partial X}{\partial l} + \frac{\partial (-D)}{\partial l} \). Since \( \frac{\partial (-D)}{\partial X} > 0 \) and \( \frac{\partial X}{\partial l} > 0 \), it follows that \( \frac{d(-D)}{dl} > \frac{\partial (-D)}{\partial l} \). QED

**A.2. Case 2: Private Under-use: \( vF' - \sigma_X > 0 \)**

In the case of private under-use, the effect of income on utilization is negative because:

\[ \frac{\partial X}{\partial l} = \frac{[\alpha u''(vF' - \sigma_X)]}{(-D)} < 0 \]

Next, we establish some useful lemmas in the case of private under-use.
Define:
\[ N_P \equiv (-\alpha u'\sigma_{XP} - \alpha u''(vF' - \sigma_X)(\sigma_P) + (1 - \alpha)z' + (1 - \alpha)z'''(P - c')X) \]
\[ N_I \equiv [\alpha u''(vF' - \sigma_X)] \]

**Lemma 6:** Prove: \( \frac{\partial(-D)}{\partial X} < 0. \)

Note that \( \frac{\partial(-D)}{\partial X} \) has the following four components:
\[ \Gamma_1^1 \equiv -\alpha u'''(vF' - \sigma_X)^3 - \alpha u''^2(vF' - \sigma_X)(vF'' - \sigma_{XX}) < 0 \]
where this result follows because \( u''' \geq 0, u'' < 0, F'' < 0, \) and \( \sigma_{XX} = 0. \)
\[ \Gamma_2^1 \equiv -\alpha u''(vF'')(vF' - \sigma_X) - \alpha u'(vF''') < 0 \]
Where this result follows so long as \( F''' \geq 0. \)
\[ \Gamma_3^1 \equiv -(1 - \alpha)z'''(P - c')^3 - (1 - \alpha)z''2(P - c')(-c'') < 0 \]
This result follows as long as \( z''' = z'' = 0. \)
\[ \Gamma_4^1 \equiv (1 - \alpha)z''(c')(P - c') + (1 - \alpha)z'(c''') \leq 0 \]
This result follows so long as \( c''' \leq 0. \) QED

**Lemma 7:** Prove: \( \frac{\partial N_P}{\partial X} > 0 \)

Note that \( \frac{\partial N_P}{\partial X} \) has the following four components:
\[ \Gamma_1^2 \equiv -\alpha u''\sigma_{XP}(vF' - \sigma_X) > 0 \]
This result follows, so long as care is beneficial to consumers on the margin.
\[ \Gamma_2^2 \equiv \frac{\partial(-\alpha u''(vF' - \sigma_X)(\sigma_P))}{\partial X} \]
\[ = -\alpha u'''(vF' - \sigma_X)^2\sigma_P - \alpha u''(vF'' - \sigma_{XX})(\sigma_P) - \alpha u''(vF' - \sigma_X)\sigma_{PX} > 0 \]
Under our assumption that \( u''' \leq 0, \) the result follows.
\[ \Gamma_3^2 \equiv (1 - \alpha)z''(P - c') \geq 0 \]
This result follows from \( z'' \leq 0. \)
\[ \Gamma_4^2 \equiv (1 - \alpha)z'''(P - c')^2X + (1 - \alpha)z''(P - c' - c''X) > 0 \]
This follows because \( z''' \geq 0, \) and \( z'' \leq 0. \) QED
Lemma 8: Prove: \(\frac{\partial N_I}{\partial X} > 0\)

Note that \(\frac{\partial N_I}{\partial X} = \alpha u''(v F' - \sigma_X) + \alpha u'''(v F' - \sigma_X)^2 > 0\). This proves the result, because \(F'' \leq 0\) and \(u'' \geq 0\). QED

Lemma 9: Prove: \(\frac{\partial (D)}{\partial I} < 0\)

Note that \(\frac{\partial (D)}{\partial I} = -\alpha u''(v F' - \sigma_X)^2 - \alpha u'''(v F'').\) Since \(u'' \geq 0\) and \(F'' < 0\), this term is negative. QED

Lemma 10: Prove: \(\frac{\partial N_P}{\partial I} > 0\)

\(\frac{\partial N_P}{\partial I} = -\alpha u'' \sigma_X P - \alpha u'''(v F' - \sigma_X)(\sigma_P) > 0\). This result follows if \(u''' = 0\). QED

Proof of Proposition 1 in the Case of Private Under-Use

We will now prove Proposition 1 for the private under-use case, or specifically: If \(v F' - \sigma_X > 0\) and \(\frac{\partial X}{\partial P} > 0\), then \(\frac{d}{dI} \frac{\partial X}{\partial P} \bigg|_{X^*} > 0\) and \(\frac{d}{dI} \frac{\partial X}{\partial P} < \frac{d}{dI} \frac{\partial X}{\partial P} \bigg|_{X^*} \). For fixed \(X\), \(\frac{d}{dI} \frac{\partial X}{\partial P} = \frac{\partial N_P}{\partial I} - \frac{\partial (D)}{\partial I}(\frac{\partial N_P}{\partial X})\). Recall that \(\frac{\partial N_P}{\partial I} > 0\) and \(\frac{\partial (D)}{\partial I} < 0\), and when \(\frac{\partial X}{\partial P} > 0\), it implies that \(N_P > 0\). This proves that \(\frac{d}{dI} \frac{\partial X}{\partial P} \bigg|_{X^*} > 0\).

Next, observe that the total change in the numerator of \(\frac{\partial X}{\partial P}\) with respect to patient income is given by: \(\frac{\partial N_P}{\partial I} + \frac{\partial N_P}{\partial I}\). Since \(\frac{\partial N_P}{\partial I} > 0\) and \(\frac{\partial X}{\partial I} < 0\), it follows that \(\frac{\partial N_P}{\partial I} < \frac{\partial N_P}{\partial P}\). Similarly, the total change in the denominator with respect to patient income is given by: \(\frac{\partial (D)}{\partial X} \frac{\partial X}{\partial I} + \frac{\partial (D)}{\partial I} - \frac{\partial (D)}{\partial I} \). Since \(\frac{\partial (D)}{\partial X} < 0\) and \(\frac{\partial X}{\partial I} < 0\), it follows that \(\frac{\partial (D)}{\partial I} < \frac{\partial (D)}{\partial I}\). QED
Appendix B: Empirical Appendix

In this section, we further illustrate the distribution of price variation from our GAF and PE-RVU instruments, shown in Figures B1 and B2, and we discuss the remaining policy changes during 1992 to 2003 that affected Medicare payments. We also document our construction of the health variables.

Variation in Medicare Payments

Other than the GAF and PE-RVU components detailed in Section 3.2, variation in Medicare payments come from changes in the work RVU, malpractice RVU, and CF. On average, work RVUs, PE-RVUs, and malpractice RVUs account for 52 percent, 44 percent, and 4 percent of total payments, respectively (US Government Accountability Office, 2005). Because the malpractice component accounts for such a small share of payments, we do not focus on it.

From 1993 to 2002, work RVUs experienced two major reviews which became effective in 1997 and 2002. Plot (a) of Figure B3 shows the average work RVU over time for HCPCS. After the RUC committee met to re-assess work RVUs, we see clear jumps in the RVU. However, with competing political pressures and physician incentives, it is unlikely that RUC committee changes are exogenous to local demand and supply factors.

The change in methodology for determining practice expense RVUs (PE-RVUs) from a charge-based method to a resource-based system was enacted by the Balance Budget Act of 1997. In developing the resource-based system, CMS considered the staff equipment and supplies used in providing medical and surgical services in various settings (Federal Register 1999). A new set of RVUs were proposed in June 1997 and subsequently adjusted following the review of approximately 8,600 comments from providers and professional associations and societies. From 1999 to 2002, the new PE-RVU system was phased in as follows: in 1999 PE-
RVUs were calculated as a product of 75% of the previous charge-based PE-RVUs and 25% of the resource-based PE-RVU system. In 2000, the percentages were 50% of the charge-based system and 50% of the resource-based system. In 2001, the percentages were 25% of the charge-based system and 75% of the resource-based system. By 2002, PE-RVUs were based totally on resource-based expenses.

The CF also experienced a major change during our study period. Prior to 1998, there were three different CFs: one for surgery, primary care, and non-surgical services. The CF for surgical procedures led to surgeons earning a 17 percent bonus payment relative to all other procedures. This generated political discontent and led to a budget-neutral merger of CFs in 1998 (Clemens and Gottlieb, 2013). Plot (b) shows the CFs over time. After 1998, the CF for surgical procedures fell by about 11 percent, whereas the CF for non-surgical procedures increased by about 6 percent. We do not use this policy shock as another instrument for two reasons. First, CFs are constant across all geographic regions and all procedures, so their explanatory power for payment changes within physicians is weak. Second, the shock in CF payments occurs mainly for surgical procedures, while changes in CF for non-surgical and primary care procedures are much less pronounced.

**Construction of Health Variables**

Measures of underlying health are extracted from claims and survey data. From the claims data, we calculate the Charlson Comorbidity Index, which reflects the cumulative increase in likelihood of one-year mortality due to the severity of comorbidities (Quan et al. 2005). From the survey data, we utilize self-reported metrics of height and weight to calculate body mass index. We also created eight indicator variables for:

- Broken hip, which equals one if the individual has had a broken hip within the last year.
• Cancer, which equals one if the individual has any of the following cancers: bladder, breast, cervical, colon, head, kidney, lung, ovarian, prostate, stomach, throat, uterine or other cancer.

• Diabetes, which equals one if the individual has diabetes.

• Heart disease, which equals one if the individual has coronary heart disease, a myocardial infarction, or other heart conditions.

• Hypertension, which equals one if the individual has hypertension.

• Lung disease, which equals one if the individual has asthma, chronic obstructive pulmonary disease, or emphysema.

• Neurological disease, which equals one if the individual has Alzheimer’s, Parkinson’s, a stroke, or other psychiatric condition (but excluding mental retardation).

• Some difficulty in physical functioning, which equals one if the individual has some or more difficulty in executing at least one of five activities: stooping or crouching; lifting or carrying objects of up to 10 pounds, extending arms above the shoulder; grasping small objects; and walking two or three blocks.
FIGURE B1: PRACTICE EXPENSE RVU, BY FACILITY

Notes: Data from the Federal Register 1992-2003. The top line shows changes in the facility PE-RVU. The bottom line shows changes in the non-facility PE-RVU. Sample restricted to HCPCS observed in all years.
FIGURE B2: DISTRIBUTION OF INSTRUMENT-INDUCED PRICE SHOCKS

(a) Price Shock from GAF-Consolidation

(b) Price Shock from PE-RVU Methodology Change

Notes: Data from the Federal Register and MCBS at the physician-patient-year level. Plot (a) shows the distribution of the GAF-induced price change from 1996 to 1997. Plot (b) shows the distribution of PE-RVU induced price changes for physician baskets of goods from 1998 to 2002.
FIGURE B3: REMAINING VARIATION IN MEDICARE PAYMENTS

(a) Average Work RVU Over Time

(b) Conversion Factor

Notes: Data from Federal Register 1992-2003. Plot (a) show the change in work-RVUs. Evident from the graph are the two major reviews by the RUC committee in 1997 and 2002. The sample is restricted to HCPCS observed in all years. Plot (b) shows the change from three CFs (primary care, surgical, and non-surgical) to a single budget-neutral CF in 1998.
Notes: We estimate random coefficients model for each physician-BETOS code. We consider four major BETOS categories: evaluation and management, imaging and tests, major procedures, and minor procedures, and plot the distribution of elasticities among physicians who perform services in at least three of the four BETOS categories.