# Should There Be a Green Supporting Factor? Carbon Policies and Climate Financial Regulation

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Toulouse, 15th June, 2022

13th Conference on the Economics of Energy and Climate

# Motivation

- "Green Supporting Factor" = differentiation of (Basel Accord) capital requirements in favor of energy transition
  - recent policy proposals as part of the EU Green Deal
  - similar to SME Supporting Factor of EU Capital Requirements Regulation (Art. 501 CRR)

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- Can be complemented by a "brown-penalizing factor"
- Central banks show interest (NGFS), but unsure about role
- Many sound arguments against climate finance regulation
  - limited prudential mandate (financial stability)
  - lack of political legitimacy due to CB independence
  - green investments may not carry lower stability risk
  - discrepancy of horizons ("tragedy of horizons")
- Should financial regulators adjust regulation to energy transition:
  - are they within their (traditional) mandate?
  - when and how should they get involved?

# Motivation (2)

- Debate on climate financial regulation mostly avoids core regulatory instruments (e.g., Basel framework)
  - regulators avoid to touch Basel, and prefer looking at other venues of action, for example:
  - climate stress tests (ECB, 2021)
  - requirements for carbon transparency, reporting, impact on investor portfolios
- We look for theoretical foundations, and hence intentionally consider core regulatory instrument
  - pragmatic adjustments do not require tedious multilateral negotiations (see EU SME Supporting Factor)

- We specifically address interaction of carbon policies & financial regulation
  - Consider separately optimal climate regulation when carbon price is efficient or inefficient
- We consider only regulation within financial stability mandate
  - regulator is not substituting for (democratic) policy process, only reacting to it
- Differentiate between mitigation and adaptation (resilience) since rationale for financial regulation might be different
  - whereas mitigation addresses global externality, adaptation investments are *heterogeneous* and *local*
- We focus on physical risks and abstract from transition risks
  - natural conflict between regulating physical and transition risks
  - high-powered brown penalizing-factor exacerbates the latter
  - central banks like to focus on transition risks (Disorderly scenarios of NGFS)

#### Literature

- Carbon policies and uncertainty about climate risks
  - Nordhaus (1994), Gillingham et al. (2015), Gollier and Kessler (2018), Gollier (2022), IPCC (2021)
- Financial stability risks and climate change
  - Bolton et al. (2020), Battiston et al. (2017), Battiston et al. (2019); Monasterolo and Raberto (2018); NGFS (2021)
- Optimal financial regulation
  - Duffie (2016), Adrian and Brunnermeier (2016), Dewatripont and Tirole (2019), Farhi and Tirole (2021)

- Interaction of carbon policies and financial regulation
  - Hagen et al. (2022), Kalkuk et al. (2020), focusing on transition risks

- Model
- Financial regulation and policy puts
- Theoretical insights
- Calibration and Policy Implications

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Conclusion

### Model Overview

- Dynamic model to represent uncertainty about optimal carbon policy path and climate risk
- We focus on uncertainty about climate risk: most relevant for physical financial stability risks
  - we abstract from macro & technology risks affecting carbon trajectory
  - climate risk uncertainty implies readjustment of optimal carbon trajectory (carbon prices)

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• Optimal path of energy transition investments depends on discount rate and "climate beta"

### Model

- CCAPM model with representative agent, utility  $U(C_t) = \frac{1}{\gamma}C_t^{\gamma}$
- Output  $\tilde{Y}_t$ , exogenous
- Emissions  $Q_t Y_t I_t$ , where abatement  $I_t$  determined by abatement spending:  $A_t (I_t) = a_1 I_t + \frac{a_2}{2} (I_t)^2$
- Cumulative emissions  $E_t = E_{t-1}(1-\delta) + (Q_t Y_t I_t)$ , leading to climate-related damage  $D(E_t)$
- Damage function D(E<sub>t</sub>) = Y<sub>t</sub>d(E<sub>t</sub>), depending on climate sensitivity ω<sub>1</sub>
- Besides abatement A<sub>t</sub>, decision on adaption expenditure R<sub>t</sub> that reduces damages

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• Consumption:  $C_t = Y_t - D_t - A_t - R_t$ 

#### Adaptation Investment

- $R_t$  = expense for climate adaptation, annualized social cost
- *R<sub>t</sub>* is often local and heterogeneous. Examples:
  - new climate infrastructure (dams, shelter)
  - climate-proving of existing infrastructure and real estate
  - changes in land use, crops, and vegetation
- $R_t$  reduces  $D(E_t)$  by  $fR_t^{\frac{1}{2}}$ , where f = efficiency parameter
- rep. agent solves "static" optimization problem for:

$$\max_{R_{t}}\left\{Y_{t}\left(1-d\left(E_{t}\right)\left(1-fR_{t}^{\frac{1}{2}}\right)-R_{t}\right)\right\}$$

- Optimization leads to gross damage reduction of  $Y_t \frac{(df)^2}{2}$ , and net damage reduction (minus  $R_t$ ) of  $Y_t \frac{(df)^2}{4}$
- Often, only fraction α < 1 of benefits of R<sub>t</sub> is internalized, incl. failure of local coordination ← underinvestment

#### Welfare and Optimal Carbon Path

 With uncertain parameters Y<sub>t</sub>, ω<sub>t</sub>, a<sub>t</sub>, dynamic optimization problem (Bellman equation):

$$V_{t}(Y_{t}, I_{t}, E_{t}, \omega_{t}, a_{t}) = \max_{\{A_{t}, R_{t}\}} (U(C_{t}) + \beta EV_{t+1}(Y_{t+1}, I_{t+1}, ...))$$

subject to:

$$C_{t} = Y_{t} \left( 1 - d \left( E_{t} \right) \left( 1 - f R_{t}^{\frac{1}{2}} \right) - R_{t} \right) - A_{t} \left( I_{t} \right)$$

$$A_{t} \left( I_{t} \right) = a_{1} I_{t} + \frac{a_{2}}{2} \left( I_{t} \right)^{2}$$

$$E_{t} = E_{t-1} (1 - \delta) + (Q_{t} Y_{t} - I_{t})$$

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### Welfare and Optimal Carbon Path (2)

Euler condition of this problem leads to equation:

$$\left(A_{t}^{\prime}-d^{\prime}\left(E_{t}\right)\right)=E\left[\beta(1-\delta)\frac{U^{\prime}\left(C_{t+1}\right)}{U^{\prime}\left(C_{t}\right)}\left(A_{t+1}^{\prime}-d^{\prime}\left(E_{t+1}\right)\right)\right]$$

where:

- $A'_t d'(E_t)$ : marginal abatement reduces net income by  $A'_t$  and net damages by  $-d'(E_t)$
- $\beta(1-\delta)\frac{U'(C_{t+1})}{U'(C_t)}$  = stochastic discount factor (SDF), depends on state of the world and "climate beta"
- $\bullet\,$  in bad scenarios, SDF is high  $\,\,\rightarrow\,\,$  climate investment is accelerated
- Solution recursively defines optimal carbon trajectory, incl. carbon price p<sup>\*</sup><sub>t</sub> that follows a stochastic process and increases at rate defined by SDF

### Financial Regulation: Capital Requirements

- Green Supporting Factor for climate-related investments
- Regulator makes an adjustment in risk weight RW
  - illustration: bank ROE of 15%, Tier 1 ratio = 8% of equity, debt funding costs of 1%
  - with risk weight RW = 1, bank funding cost  $r_B = 0.08 \times 15\% + 0.92 \times 1\% = 2.12\%$
  - when  $RW^G = 0.5$  (as for EU SME Supporting Factor):  $r_B^G \downarrow$  to  $r_B^G = 0.04 \times 15\% + 0.96 \times 1\% = 1.56\%$
  - Say adaptation project has 75% leverage (infrastructure)
  - When RW ↓ from 1 to 0.5, project cost r<sub>CC</sub> ↓ by about 10% (depends on cost of equity)

• Similar for effect on A<sub>t</sub>

### Capital Requirements: Effect on Funding Costs

- Socially efficient financing cost determined by climate discount rate, r<sub>CLIM</sub> (Gollier, 2022: r<sub>CLIM</sub> = 3.5%)
- Effective cost of capital r<sub>CC</sub> depends on project WACC: wedge in annual funding cost of c<sub>R</sub> · R<sub>t</sub> > R<sub>t</sub>
  - Elasticity of c<sub>R</sub> increases in project lifetime
- Net effect on financing cost now accounts for  $c_R \cdot R_t$ :

$$Y_t\left(1-d\left(1-fR_t^{\frac{1}{2}}\right)-c_RR_t\right)-Y_t\left(1-d\right)=Y_t\frac{\left(df\right)^2}{4c_R}$$

- Financial frictions magnify effect:, when RW ↓ from 1 to 0.5: financing capacity doubled for equity-constrained banks
  - Important e.g. for public development banks

### Climate Emergencies: Public Policy Puts

- Ex-post efficient reaction of authorities in adverse climate scenarios: mitigate climate shock for private agents
  - "Public policy put option" = all public policies, fiscal and monetary, in climate-related emergencies
  - Puts lead to damage reduction for rep. agent, limiting damage to Y<sub>t</sub>d (E<sub>t</sub>) b, where b < 1</li>

- Ex ante, financial regulator optimally attempts to offset such perverse incentives with differentiated capital requirements
- Regulator could fully compensate b < 1 with a proportional decrease in capital cost  $c_R$ , so that  $\frac{b}{c_R}$  constant
- Regulator only concerned about financial stability: will only partially compensate

### Baseline Case: Efficient Carbon Prices and Adaptation

- Assumption 1: carbon price path adjusts efficiently over time
- Assumption 2: full local internalization of benefits of resilience investments (α = 1), no bailout benefits
- Assumption 3: No policy puts, b = 1.
- **Proposition 1:** With Assumptions 1 3, there is no role for climate financial regulation
- Intuition:
  - carbon price path implements optimal abatement  $A_t$
  - absent policy put benefits and when  $\alpha = 1$ , agent chooses optimal resilience expenditure  $R_t$

# Effect of Policy Puts (Optimal Carbon Path)

- Relax Assumption 3: policy put with b < 1 in adverse climate scenarios</li>
- Keep Assumptions 1 and 2: efficient carbon price,  $\alpha = 1$
- Proposition 2: role for climate financial regulation
  - Financial regulator introduces differentiated capital requirements for *R<sub>t</sub>*, but not for *A<sub>t</sub>*
  - $R_t$  lower and carbon price higher than in baseline
- Intuition: policy put weakens incentive to invest in adaptation
- Carbon policies only target emissions, not resilience
- Optimal carbon prices adjust to policy put and financial regulator's ex ante stance: higher than in baseline as regulator's action limited to financial stability concerns

# Optimal Carbon Path, Inefficient Adaptation Investments

- Relax Assumption 2 of full local internalization:  $\alpha < 1$
- Maintain Assumptions 1 and 3: efficient carbon price, b = 1
- Proposition 3: role for climate financial regulation
  - Financial regulator introduces differentiated capital requirements for *R<sub>t</sub>*, but not for *A<sub>t</sub>*
  - $R_t$  lower and carbon price higher than in baseline
- Intuition: α < 1 has similar effect as policy put (Prop. 2), reduces resilience spending: same response of regulator
- Financial regulation is not the only (or optimal) policy instrument. But as long as other corrective tools insufficient, regulator will react and (partially) address climate externality

### Inefficient Carbon Path

- Relax Assumption 1: carbon prices do not follow efficient trajectory (conflict scenario)
- (initially maintain Assumptions 2 and 3, then relax together)
  - this is probably the most likely case
- **Proposition 4**: Regulator will differentiate to encourage investments in abatement *A<sub>t</sub>* and resilience *R<sub>t</sub>* 
  - if α = 1 and b = 1: regulator only differentiates capital requirements for abatement investments A<sub>t</sub>
  - if also  $R_t$  inefficient ( $\alpha < 1$  and/or b < 1) : regulator also differentiates rules in favor of resilience investments  $R_t$
- When carbon policies fail, other actors and mechanisms partially assume their role
- Financial regulator stay within financial stability mandate: climate mitigation impact smaller than socially optimal

### Calibration: Approach

- Choose parameters where each shock on  $Y_t$ ,  $\omega_1$ ,  $a_t$  is binomially distributed, for 6 periods (10 years) from 2022 to 2082, following IPCC, Nordhaus, Gollier (2022), and Dietz, Gollier, and Kessler (2018)
- Focus on uncertainty about climate risk,  $(\omega_1)$ 
  - Take mean and uncertainty approx. from IPCC AR6 (for BAU): mean 2.9 deg C, variance 1.3 deg C.
  - Translate into binomial tree of six 10-year periods
  - represent skewness by assuming that bad shock less likely,  $p_U = 0.3$ .
- Other parameters follow Gollier (2022) and Dietz, Gollier, and Kessler (2018)

- Consider two main scenarios:
  - Efficient carbon policy: "Orderly Transition". Roughly equivalent to Paris Accord objective: limit warming to 1.5 deg C, carbon-neutral after 2052 and global carbon budget of 650 Gt CO2e until then
  - Inefficient carbon policy: "Hothouse World": roughly equivalent to static BAU scenario: continued emission of 40 Gt CO2e per year
- When is climate damage a financial stability risk?
- $\bullet$  Possible threshold: economic loss > 10% of local GDP
- Optimal adjustment of RW depends on
  - financial stability-related portion of climate damage
  - social cost of financial regulation

# Calibrating Aggregate Damages (Mitigation): Carbon Policy Scenarios

• Efficient: "Orderly Transition":

- substantial variation in damage function after 2050 (> 15% of GDP in worst case in 2070)
- these events very unlikely as of today (Prob. < 0.3%), so tiny impact on differentiated capital requirements today
- but substantial differentiation will be delayed, occurs in future bad scenarios
- Inefficient: "Hothouse World" (BAU):
  - strong variation of damages, and high damages with substantial probability (20% damage in 2052 with prob. 3%).
  - regulator cannot ignore adverse scenarios, will substantially differentiate capital requirements much sooner

- Assumptions needed for expected value of policy put benefit: b > 20% probably realistic (Covid-19)
- Assumptions needed to model local carbon damages
  - local variation in climate-related shocks and heterogeneity in adaptation efforts
  - example calibrations can use insights from ECB (2021) stress tests, but need additional parameters

# **Policy Implications**

- Policy puts and inefficient resilience investment justify differentiated rules even when carbon path efficient
- Capital rules should be differentiated *unless* carbon policies *and* resilience are efficient
- Argument in favor of dual-track approach: Green Supporting Factors react to efficient or inefficient carbon policies
- Currently, "Hothouse World" the relevant scenario: regulator will start differentiating much sooner

- Overall impact can be neutralized with Brown-Penalizing Factor
- Integrating transition risks might lead to more cautious approach

- Theory favors local variation in differentiation geared towards adaptation
  - Calibrating adjustments will be case-dependent
- But some general insights are possible:
  - depends on effectiveness of local collective action (  $\alpha\approx 1)$  and role of private sector financing
  - defining Brown-Penalizing Factors for investments with deficient adaptation will be challenging
  - cannot avoid addressing optimal trade and migration impact (comparative advantage)

- Theory foundations for Green Supporting Factor: central banks and regulators should account for climate risk of assets
- Model with carbon policies, efficient and inefficient, and two types of climate investments: mitigation and adaptation
- Magnitude (and timing) of differentiation depends on carbon policies
- Simple binomial framework that can be completed with parameters, to derive calibrated approximations for risk weight adjustments