Alexandre de Cornière (Toulouse School of Economics) and Greg Taylor (Oxford Internet Institute)

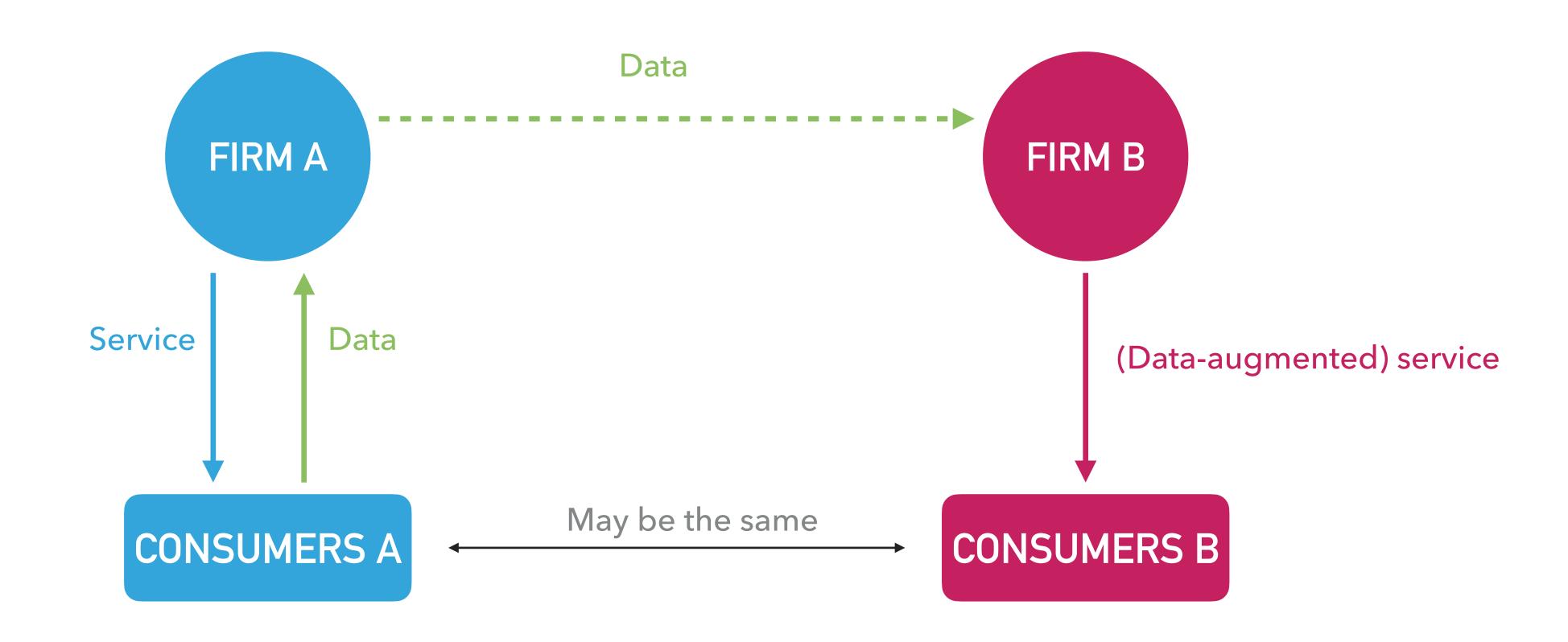
DATA AND COMPETITION: DATA-DRIVEN MERGERS

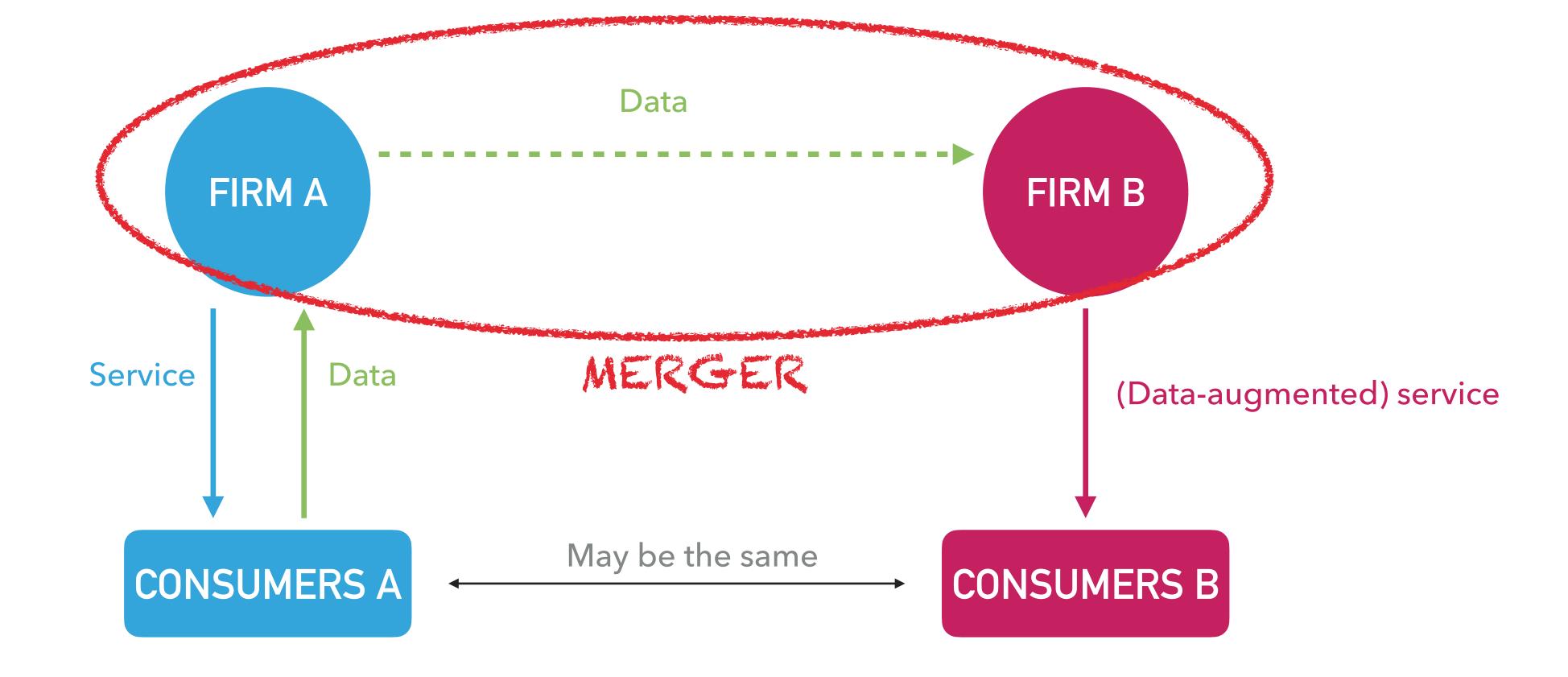
Mergers (partially) motivated by acquisition of data

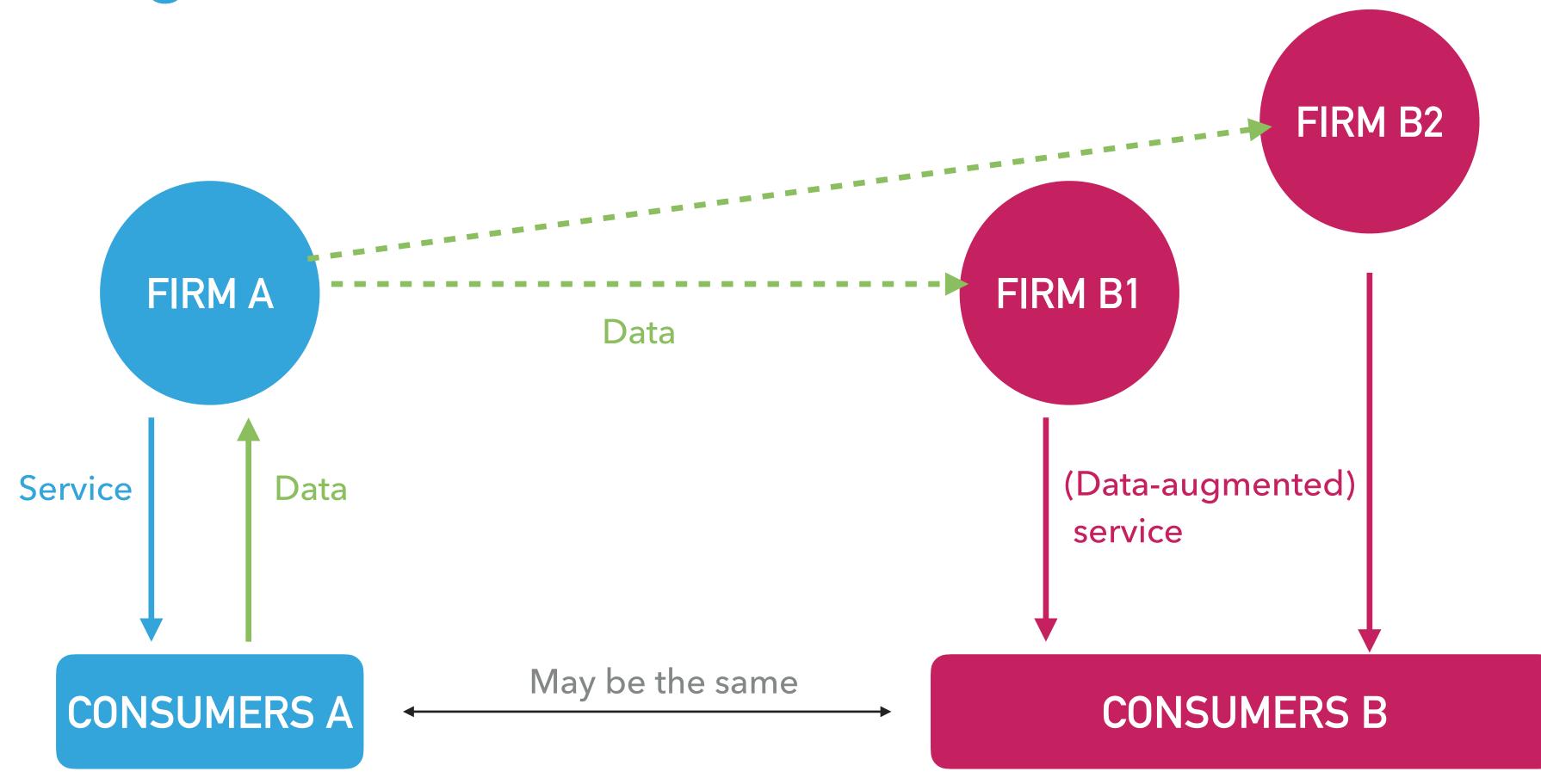
Examples:

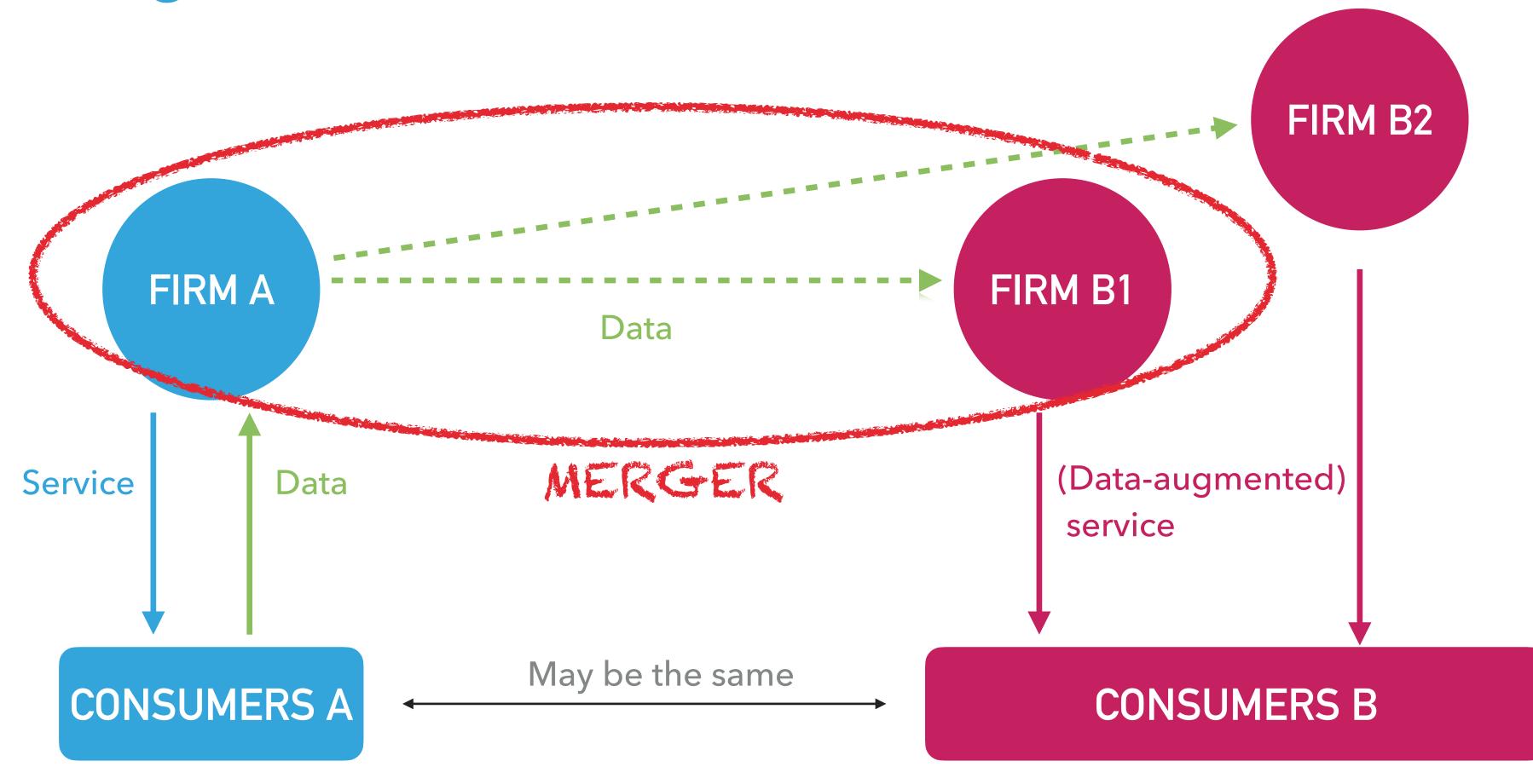
Microsoft - LinkedIn, Google - Fitbit

Neither horizontal nor (purely) vertical.









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- No different than vertical merger

2. « Efficiency offence » concern

- Pre-merger, B firms don't use data
- Post-merger, B1 can use A's data ⇒ marginalization of B2

- 1. Input foreclosure
- 2. « Efficiency offence » concern

Two sides of the same coin: B1 will use data, B2 will not

Difference: is data shared pre-merger?

These foreclosure stories are not our focus here.

1. Pro- or anti-competitive uses of data

- Efficiency / surplus extraction.
- We take it as given.

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Dual objective of A: product sales and data

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- Efficiency / surplus extraction.
- We take it as given.

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Dual objective of A: product sales and data

3. Potential frictions around trade

Regulation, reputational concerns...

2 & 3: ≠ pure vertical merger

Market A

 ullet 1 or 2 firms, A_1 and A_2 , located on Hotelling segment

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 - $\delta_{A_i} = n_{A_i}$

Market B

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- Firm B_i has access to data δ_{B_i} from market A
 - (normalize other data to zero)

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 - (normalize other data to zero)
- $lackbox{P}_i$ chooses utility u_i (Armstrong & Vickers 2001)
- Demand $D(u_i, u_j)$; Profit $\Pi(u_i, u_j, \delta_{B_i})$

If
$$\frac{\partial^2 \Pi(u_i,u_j,\delta_{B_i})}{\partial u_i \partial \delta_{B_i}} > 0$$
, more data leads B_i to offer more utility

- We then say that data is unilaterally pro-competitive (UPC)
- E.g. product improvement

If
$$\frac{\partial^2 \Pi(u_i,u_j,\delta_{B_i})}{\partial u_i \partial \delta_{B_i}} < 0$$
, more data leads B_i to offer less utility

- We then say that data is unilaterally anti-competitive (UAC)
- Data makes firms better at surplus extraction

Is data UPC or UAC?

- In companion paper, we provide conditions for UAC/UPC and discuss examples
- Today, take it as primitive

- Firms observe each other's quantity of data
- Given their data, each firm maximizes $\Pi(u_i, u_j, \delta_{B_i})$
- Let $u_i^*(\delta_{B_i}, \delta_{B_i})$ be the equilibrium of subgame
- Let $\pi_i(\delta_{B_i}, \delta_{B_i})$ be the subgame's equilibrium profit

Market B- extra assumptions

 u_1 and u_2 are strategic complements

$$\frac{\partial \pi_i(\delta_{B_i},\delta_{B_j})}{\partial \delta_{B_i}} > 0 \text{: data is valuable in equilibrium}$$

Timing

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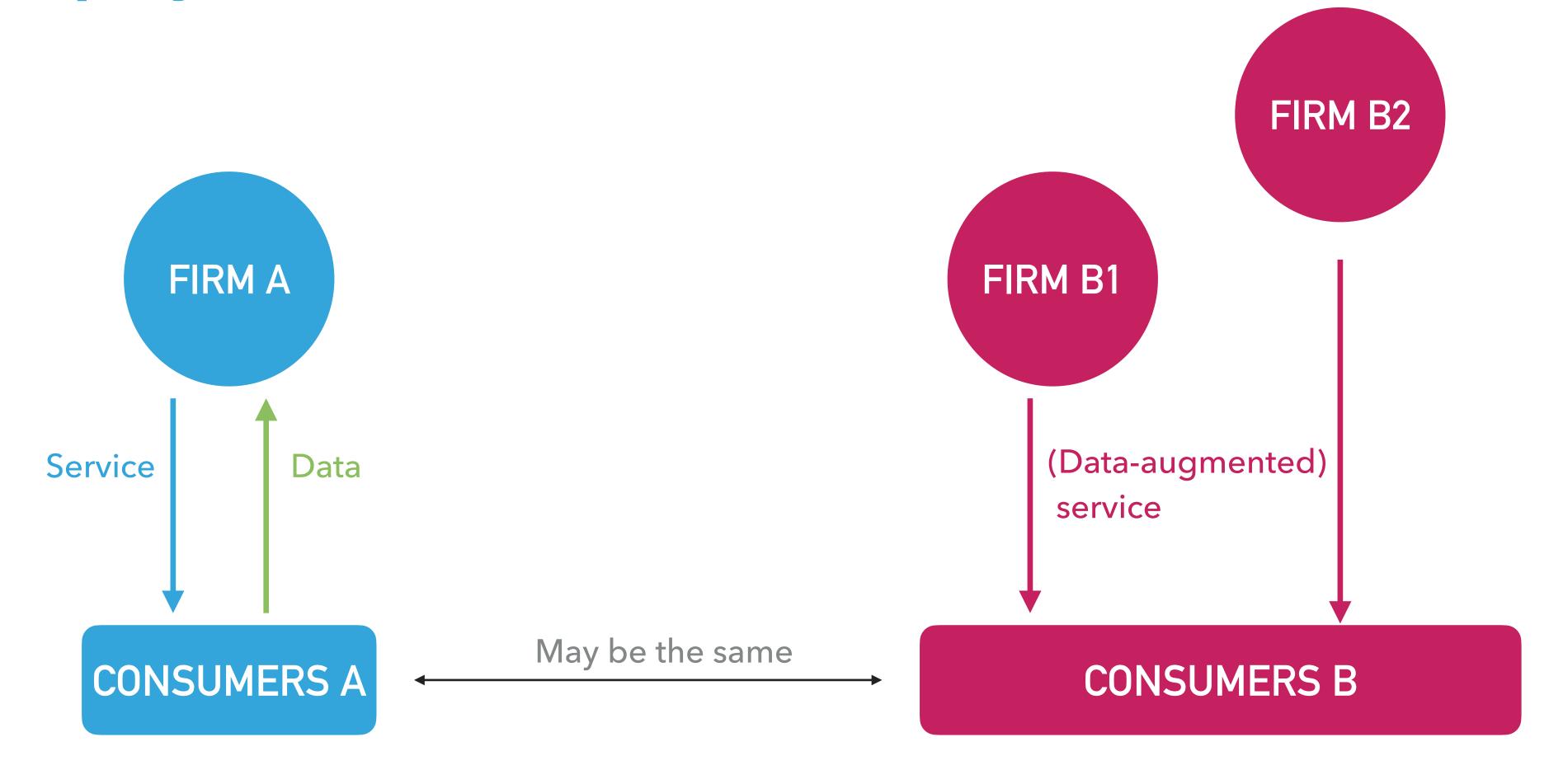
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- 5. Data trade takes place, if possible

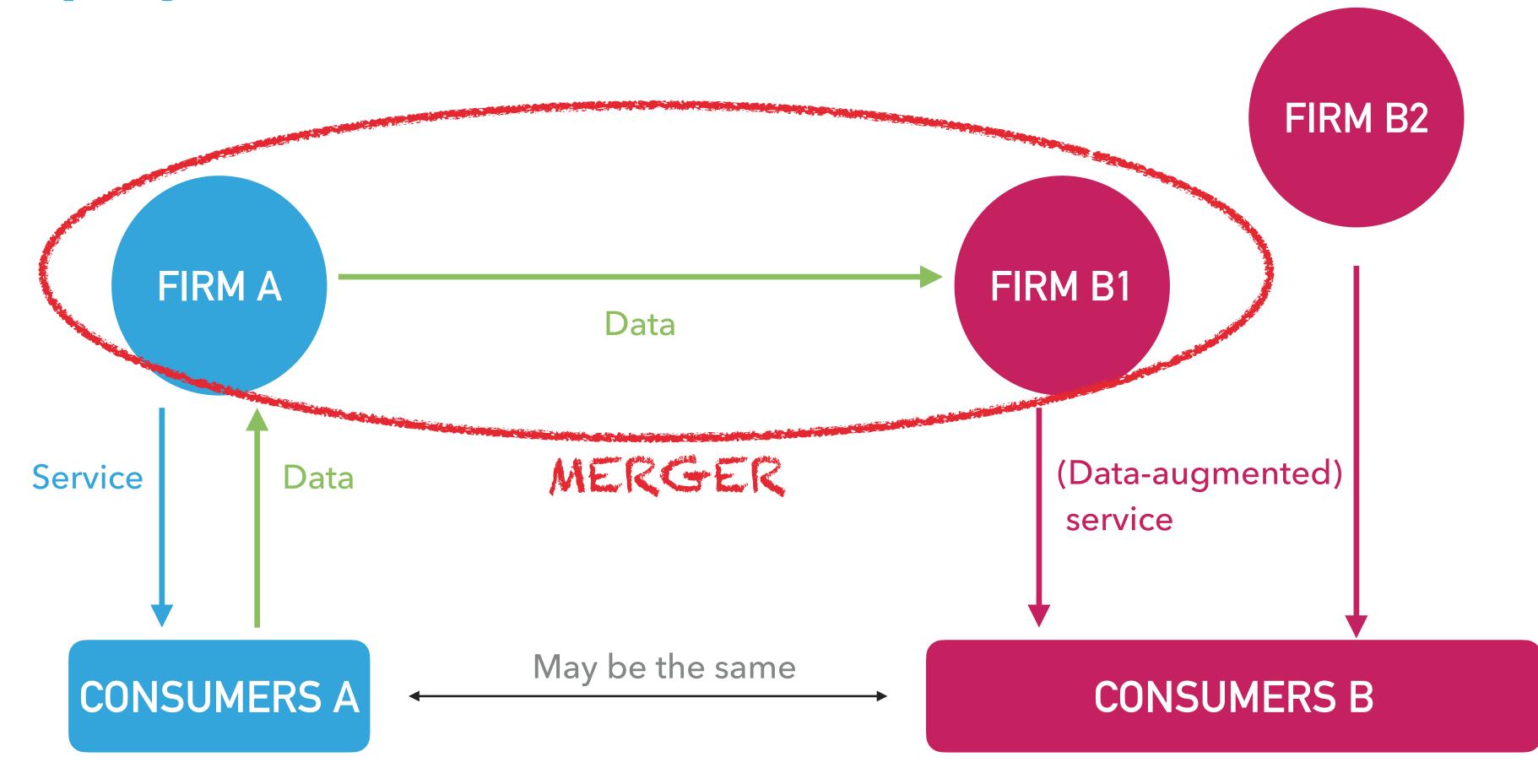
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- 4. Firms in market A collect data as byproduct of activity
- 5. Data trade takes place, if possible
- 6. Firms in market B choose utility levels
- 7. Consumers in market B choose a product

Case I: Monopoly on A - no data trade



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Pre-merger

Firm A maximizes

$$\alpha \times \underline{q/t} - C(q) \Longrightarrow C'(q^*) = \alpha/t$$
 demand

On B market, firms don't use data: utility $u^*(0,0)$

Post-merger

Firm A internalizes B_1 's profit

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Firm A maximizes

$$\alpha q/t - C(q) + \pi_{B_1}(\underline{\delta}, 0)$$

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Higher incentive to collect data

Post-merger

Firm A internalizes B_1 's profit

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$$= q/t$$

- Higher incentive to collect data
- Higher quality on market A

Post-merger

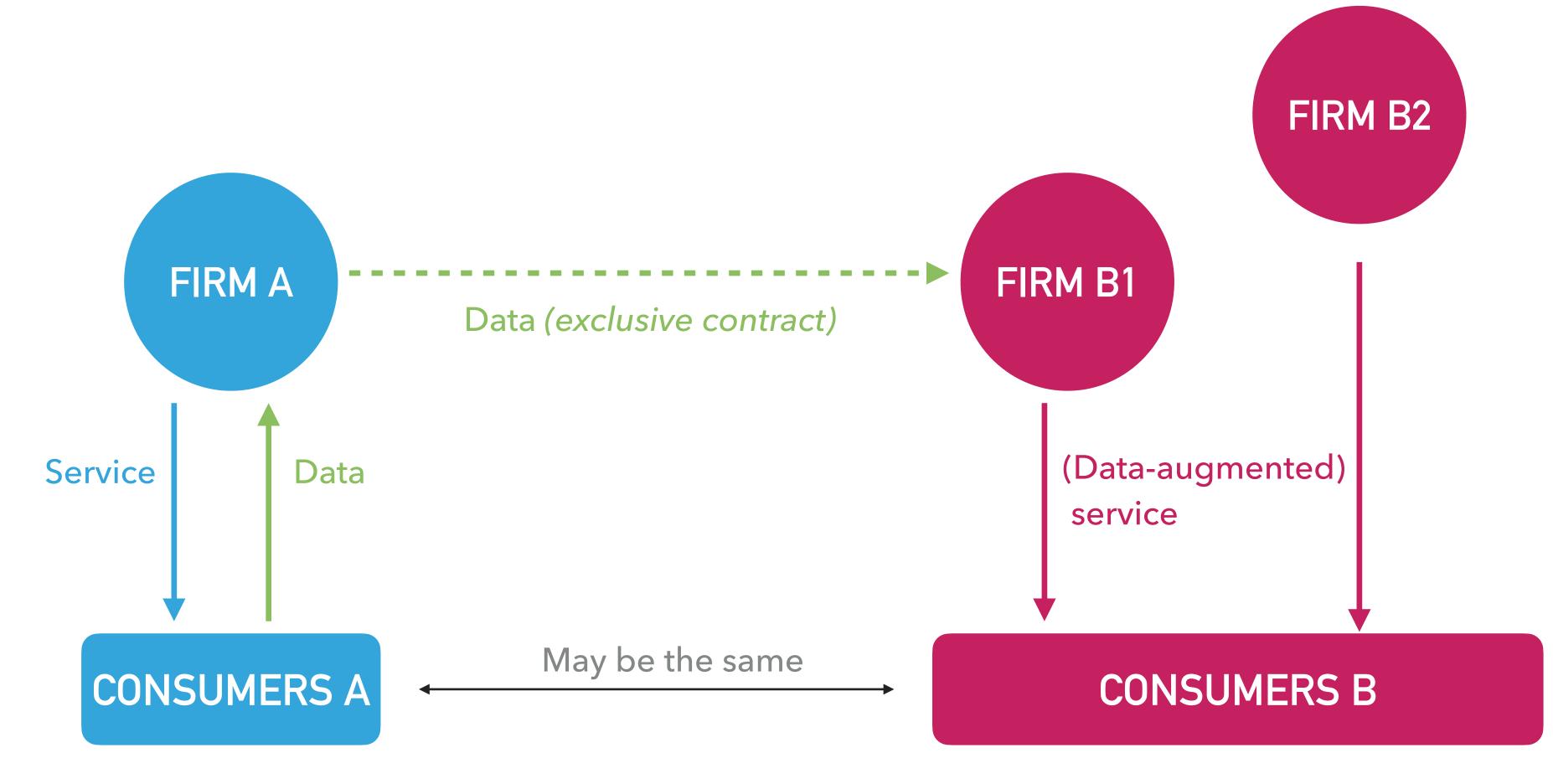
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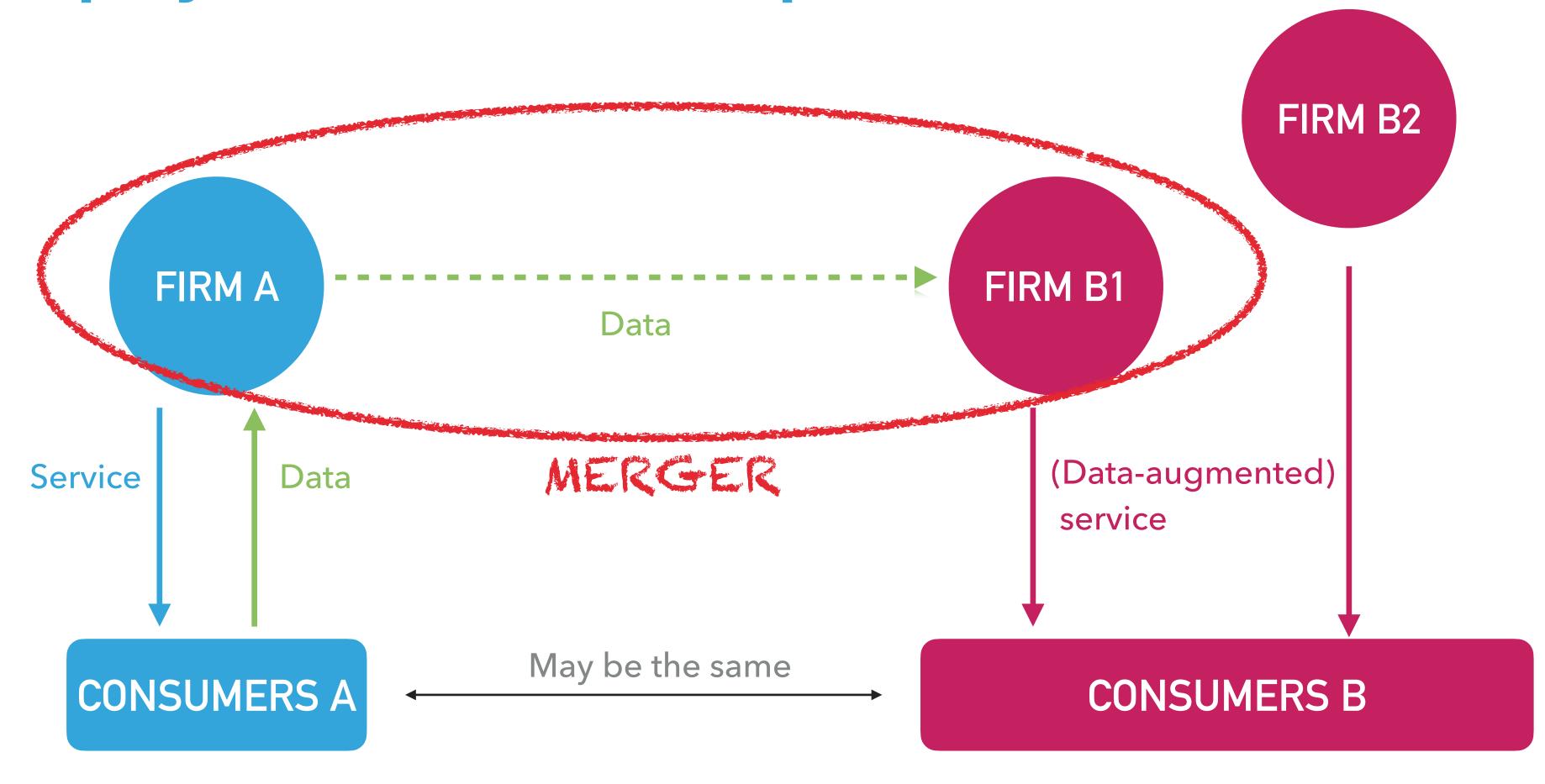
Summary

Effect of merger	UPC data	UAC data
No data trade	$u_A \uparrow u_B \uparrow$	$u_A \uparrow u_B \downarrow$
Data trade		



25

Case II: Monopoly on A - data trade possible



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Assumption (for presentation only): Optimal to sell data exclusively (auction)

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If data is UPC: $\partial \pi_{B_1}/\partial \delta_{B_2} < 0$. Data makes rival « tough ».

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Case II: Monopoly on A - data trade possible

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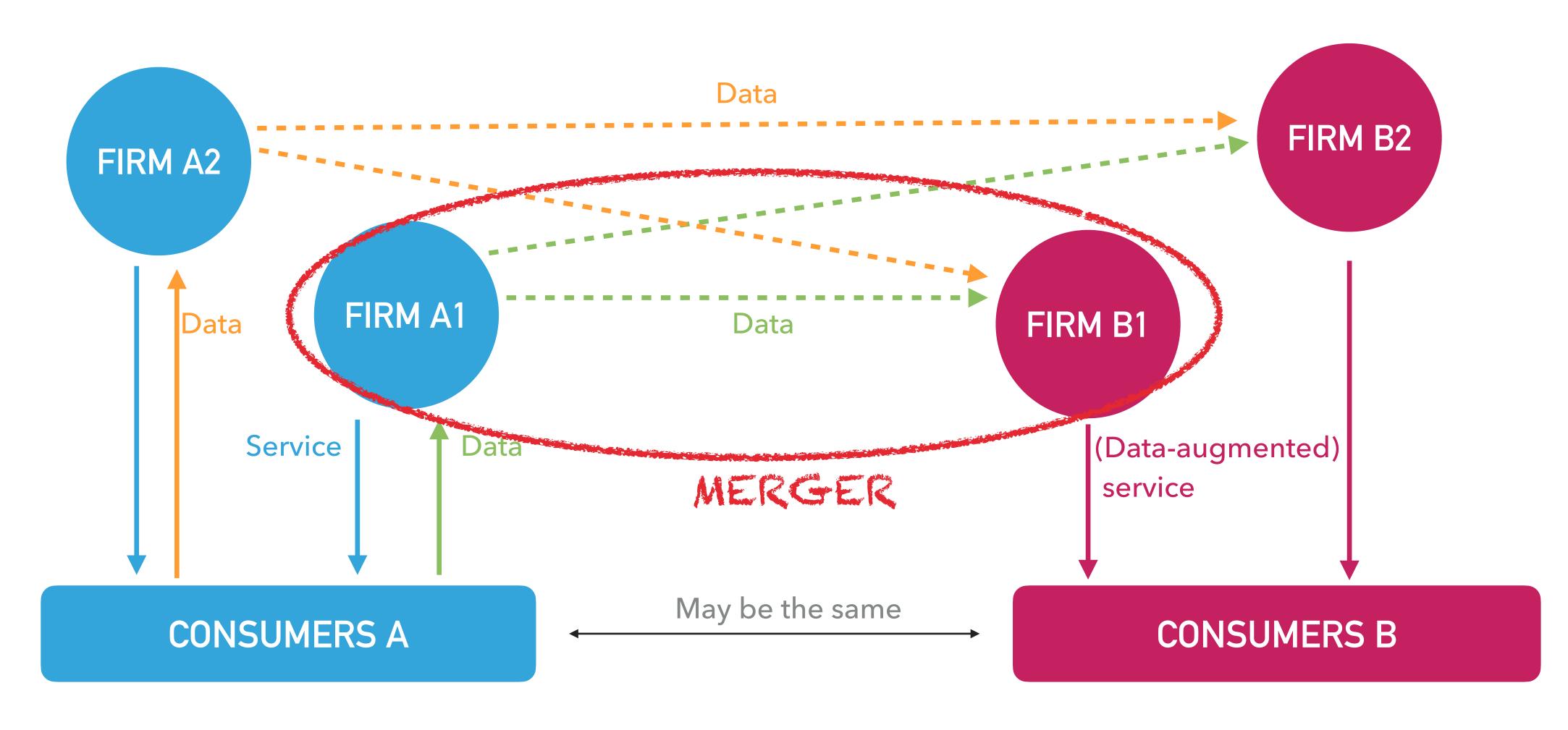
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 - Merger increases incentives to collect data: $u_A^*\uparrow$, $u_B^*\downarrow$

Summary

Effect of merger	UPC data	UAC data
No data trade	$u_A \uparrow u_B \uparrow$	$u_A \uparrow u_B \downarrow$
Data trade*	$u_A \downarrow u_B \downarrow$	$u_A \uparrow u_B \downarrow$

^{*}Holds also under non-exclusive data trade, for similar reasons

Competition on A (Preliminary)





If data trade is impossible without merger: same analysis as monopoly.

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Things are different with data trade.

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Focus on non-exclusive data trade.

Case 1: Single-homing, non-covered market

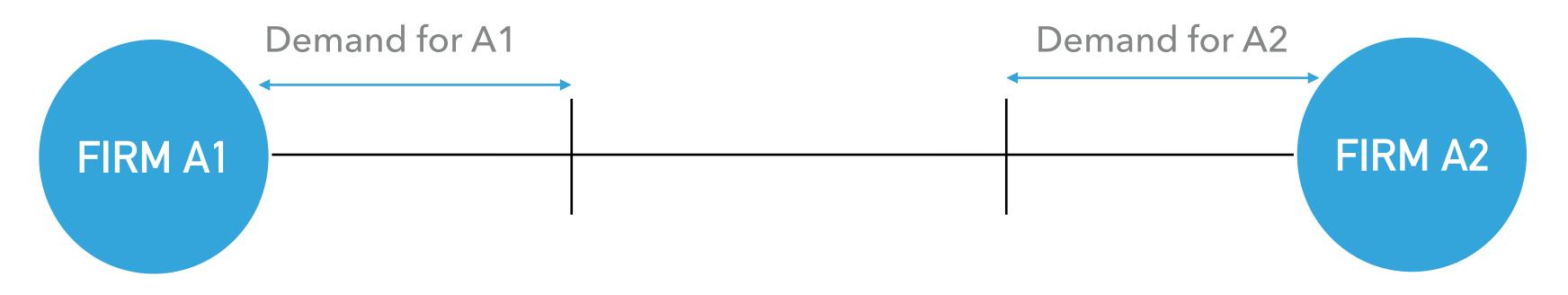


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Effects of the merger:

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• $u_A^* \uparrow$: collect more data to reduce price paid to A2

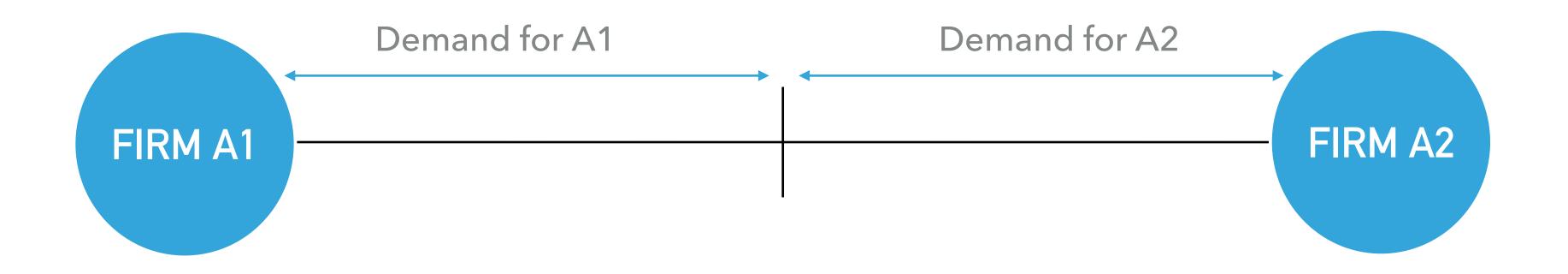
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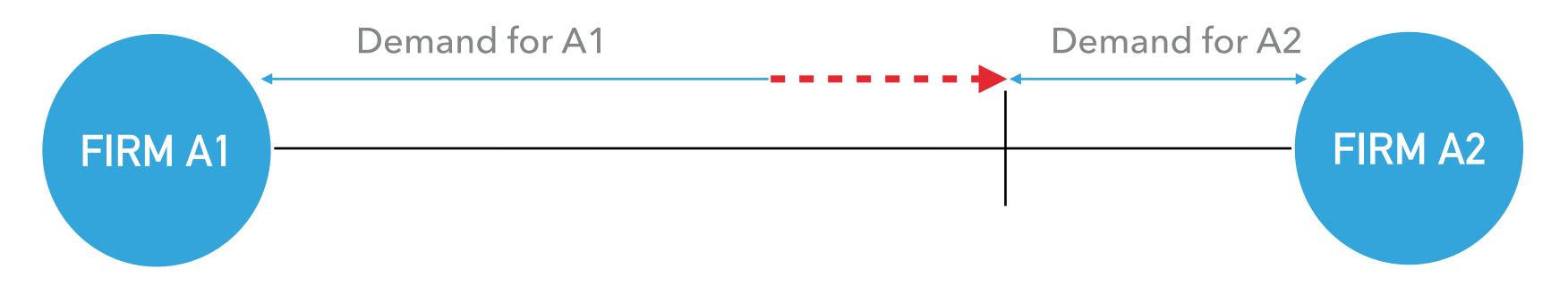
Case 2: Single homing, covered market



When differentiation is low (i.e. competition more intense)

Firms compete for marginal consumers

Case 2: Single homing, covered market



Main difference: if A_1 invests more then $\delta_{\!A_2}$ goes down

If A_1 and A_2 are symmetric, merger is neutral

Case 2: Single homing, covered market

Intuition:

For A_1 the change in profit post-merger is

$$\pi_{B_1} - T_{A_2}^{B_1} - \underbrace{T_{A_1}^{B_1}}_{}$$

internalisation of B1's profit "lost" data sales

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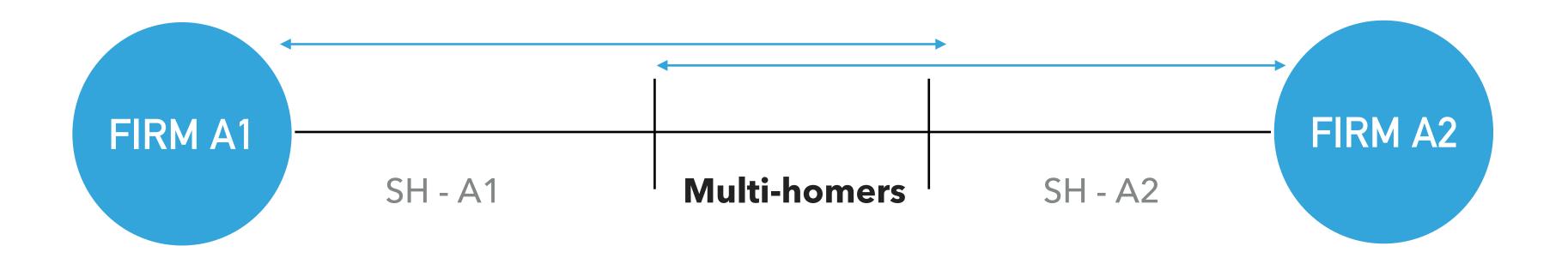
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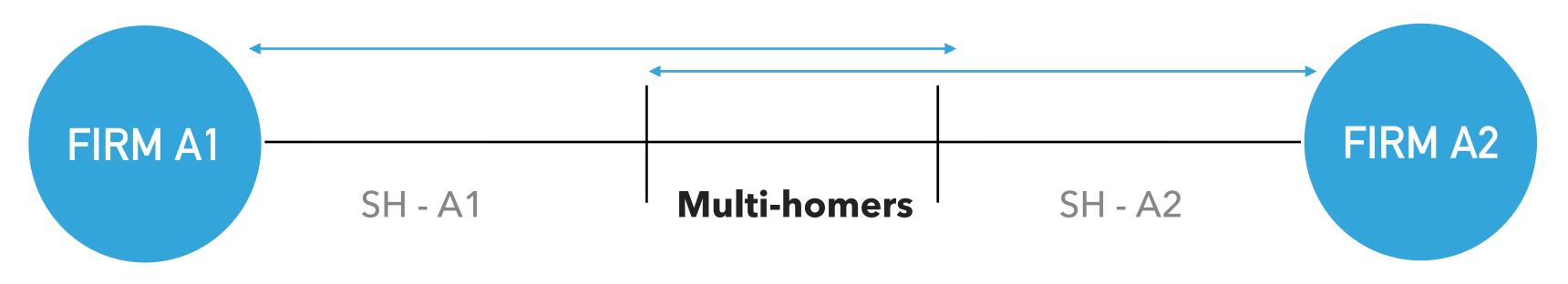
(by the same amount in symmetric situation)

(If A_1 has a quality advantage, quality goes down on A, $u_{\!B}^*$ remains the same)

Case 3: Multi-homing

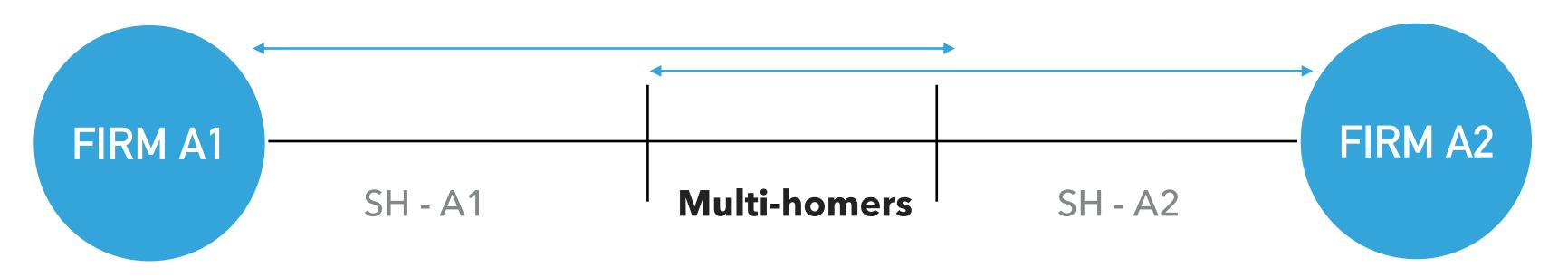


Case 3: Multi-homing



Effects of the merger:

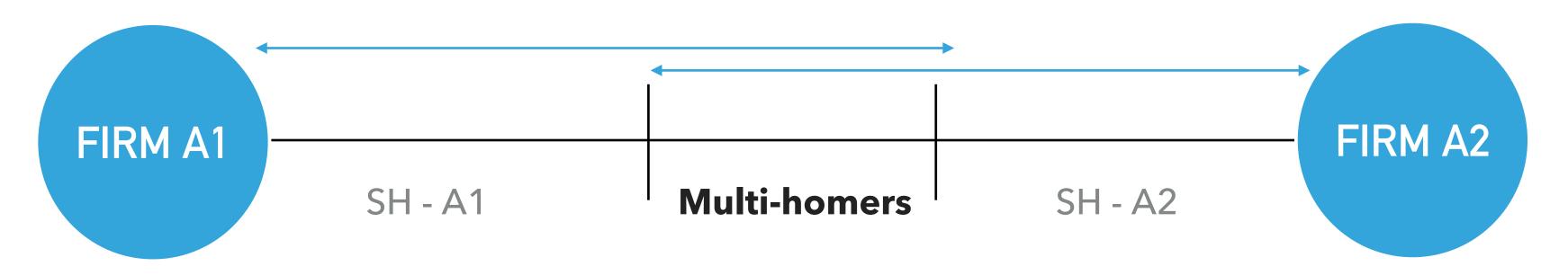
Case 3: Multi-homing



Effects of the merger:

• $u_A^* \uparrow$ (lower price paid to A_2)

Case 3: Multi-homing



Effects of the merger:

- $u_A^* \uparrow$ (lower price paid to A_2)
- $u_B^* \uparrow$ if data is UPC, $u_B^* \downarrow$ if data is UAC

Competition on A - Summary **UPC** data **UAC** data Effect of merger $u_A \uparrow u_B \uparrow u_A \uparrow u_B \downarrow$ No data trade $u_A \uparrow u_B \uparrow u_A \uparrow u_B \downarrow$ Data trade*

^{*}Except if SH and covered market: merger is neutral

Competition on A - Summary

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No data trade	$u_A \uparrow u_B \uparrow$	$u_A \uparrow u_B \downarrow$
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Opposite of monopoly case

^{*}Except if SH and covered market: merger is neutral

Discussion

When data is UPC

Our paper provides:

- An efficiency argument
 - Data use and higher quality on A in presence of large trade frictions
- A theory of harm
 - Trade btw independent firms lead to more collection and use of data

The key is whether trade is possible or not

Discussion

Other conditions

- Market power on A
- High value of data
 - Significant impact on profits of B firms
 - Value high enough to affect decisions on A
- Data collection associated with higher utility on A
 - In the model, quality (could be price)
 - Important assumption: privacy concerns on A not too strong

Discussion - UPC data

If data is UPC and there is no trade:

- Is there perspective of trading in near future?
 - If yes, that's the relevant counterfactual
 - If not, what is the friction?
 - If regulatory (e.g. privacy), allowing merger might run counter to other policy objectives
 - If contractual frictions, merger more likely to be desirable.

Discussion - UAC data

If data is UAC, opposite effects on markets A and B

- Separate effects or net effects analysis?
- If separate effects, harm on one market cannot be compensated on another
- If net effects, theory provides little guidance

Conclusion

Simple model of data-driven mergers

Focus on incentives to collect data through quality investment

Effects of merger depend on:

- Whether data is pro- or anti-competitive
- Frictions on data trading
- Intensity of competition on A market

We assume away foreclosure concerns: also important in practice (standard)

Conclusion

Paper also presents a framework to think about data and competition

Competition in utility (Armstrong & Vickers 2001)

Allows flexibility to study various business models

Data as a revenue-shifter

Given utility, more data \Rightarrow more revenues

We provide conditions for data to be UPC/UAC

We discuss applications

Implications for data sharing policies, dynamics

Thank you for your attention