Pass-Through Applications Conclusion

# Pass-through as an Economic Tool

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# Wanted: IO theory for empirics

- Plea for IO theory to engage with structural IO
- IO theory boomed in 80's, declined since in US. Why?
  - You can prove anything!
    - E.g. Bulow et. al. (1985) and Fudenberg and Tirole (1984)
    - All depends on strategic complements v. substitutes...
    - But we don't know this
- So structural IO: figure out demand system (Bresnahan)
  - No need for theory, just computation (BLP)
  - But identification relies on strong assumptions
  - Assume the result sometimes?
- So theory comes back in: what, how to measure
- Implications of (functional form) assumptions
- Today: simple example
  - Demand shape restrictions important for theory

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# Introduction

- So what should we measure?
- In competitive markets: elasticities
  - Tax revenues
  - Welfare (Chetty's sufficient statistics)
- But in IO elasticities = level not comparative statics
- Pass-through serves role of elasticities
  - 0
- Many different theory results depend on it
  - Basis for identification with weak assumptions
  - Flexibility important, but rare: create demand systems

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# Examples

- Generalized Cournot-Stackelberg (GCS) models
  - Which side of 1+sign of slope  $\implies$ 
    - Ranking of firm and industry markups/quantities and profits
- Iwo-sided markets (Rochet and Tirole 2003)
  - Positive and normative properties: PT v. 1, sign of slope
- Symmetric multiproduct models (Cournot or Bertrand)
  - Merger effects determined by PT
  - With horizontal demand
    - Strategic complements v. substitutes: PT v. 1
    - Oshort- and long-run idiosyncratic same side as industry PT

 $\equiv \rightarrow$ 

- For example: many firm Berry, Levinsohn and Pakes (1995)
  - $\Rightarrow$  PT determines effect of entry, mergers on prices
    - Closely linked to log-curvature, so micro tests also
- International macro: link to price frequency

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- Review pass-through, new results on why matters
- Illustrate with GCS models
- Two generalizations
  - Two-sided markets
  - Multiple products, mergers
- Taxonomy of functional forms
- Apt demand
- Onclusion and directions for research

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# Monopoly pricing

$$m \equiv p - c = -\frac{D(p)}{D'(p)} \equiv \mu(p)$$

#### • Standard condition for sufficiency is log-concavity, $\mu' < 0$

But grossly sufficient

• 
$$\rho \equiv \frac{d\rho_M}{dc} = \frac{1}{1-\mu'}$$
 so log-concave  $\iff$  "cost-absorbing"

• Weakest condition for same tractability gain:

$$\mu' < 1 \iff MR'(Q) < 0 \iff \frac{1}{D}$$
 convex

Mark-up contraction (MUC)

 $\iff$ 

Always charge at binding price control for all c

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# Useful properties of pass-through

Pass-through crucial parameter, two reasons:

Measures sharpness of monopoly problem

$$p = \frac{1}{-\frac{d^2\pi}{dm^2}\frac{m^2}{\pi}}$$

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- Quantity parallel
- "Pass-through" of pre-existing units  $\rho_Q = \rho$

Oetermines division of surplus

- Surplus V and profits  $\pi = \mu D$  (at optimal price)
- For all prices  $p < \overline{p}$  (choke price)

$$rac{V(
ho)}{\mu(
ho)D(
ho)}=\overline{
ho}(
ho)\equiv\int_{
ho}^{\overline{
ho}}\lambda(q;
ho)
ho(q)dq$$

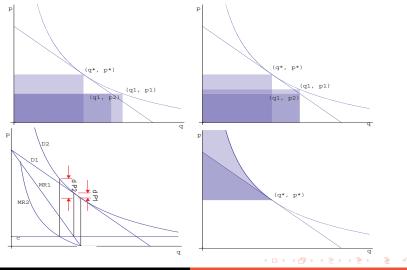
where  $\int_{p}^{\overline{p}} \lambda(q; p) dq = 1$ 

• Ratio of surpluses determined by average of pass-through

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Deadweight loss as well





Weyl and Fabiger (2009)

#### Pass-through

# Taxonomy of demand

- Three types of demand
  - **0**  $\rho < 1 \iff \mu' < 0$ : cost absorption (Rochet-Tirole 2007)

  - **(a)**  $\rho > 1 \iff \mu' > 0$ : cost amplification
- Increasing vs. decreasing in cost

### Assumption

Demand globally one combination

- Can be substantially weakened, but clean
- Obeyed by almost every demand (shown below)
- Which side does demand typically lie on?
  - CE amplifying, linear absorbing; both constant PT
  - Empirical evidence: little, roughly 70-30 absorbing

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No evidence on slope

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# Cournot (1838)-Spengler (1950) model

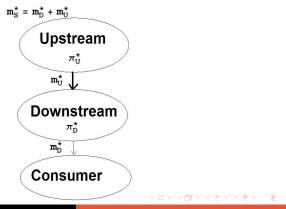
Detailed, simple example to show how it works

- Presented this last year, so go quick
- But I have generalization
- Of independent interest?
- Two goods:
  - Perfect complements (Cournot)
  - One input to other (Spengler)
- Total (linear) cost c<sub>l</sub>
- Baseline case integrated monopoly, optimal mark-up m<sup>\*</sup><sub>l</sub>
- Two separated organizations

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### spengler-Stackelberg organizaiton

$$m_U^{\star} = \frac{\mu(m_U^{\star} + m_D^{\star} + c_l)}{\rho(m_U^{\star} + m_D^{\star} + c_l)}$$
$$m_D^{\star} = \mu(m_U^{\star} + m_D^{\star} + c_l)$$



Weyl and Fabiger (2009)

Pass-through

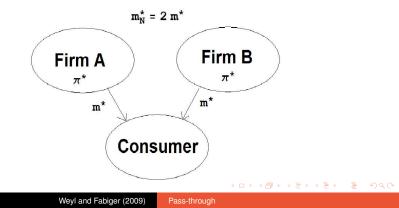
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#### Cournot-Nash organization

$$m_A^{\star} = \mu(m_A^{\star} + m_B^{\star} + c_l)$$
$$m_B^{\star} = \mu(m_A^{\star} + m_B^{\star} + c_l)$$



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# Graphical summary of results

	ho < 1		ho > 1	
	Cost absorption		Cost amplification	
	Decreasing pass-through		Decreasing pass-through	
	m <sub>11</sub>	-	<i>m</i> *	-
ho'	ν π	τ <b>ύ</b>	V	$\pi_D^{\star}$
$\wedge$	$m_I^\star < m_N^\star < m_S^\star$ $\land$	/	$m_D^{\star}$	V
0		τ*	V	$\pi_U^{\star}$
	<i>m</i> * ∖	/	$m_U^{\star}$	V
	V π	۳Å ا	V	$\pi^{\star}$
	$m_D^{\star}$	2	$m_I^\star < m_S^\star < m_N^\star$	
	Cost absorption		Cost amplificat	ion
	Increasing pass-through		Increasing pass-through	
	$m_I^\star < m_N^\star < m_S^\star$		<i>m</i> *	
$\rho'$	V π	τ <b>ὑ</b>	$\vee$	$\pi_D^{\star}$
$\vee$	<i>m</i> <sup>*</sup> <sub>11</sub> ∖	ĭ	$m_D^{\star}$	v
0	ν π	τ*	V	$\overset{\pi_U^\star}{\scriptstyleee}$
	<i>m</i> * ∖	/	$m_I^\star < m_S^\star < m_N^\star$	
	V π	۳Å	V	$\pi^{\star}$
	$m_D^{\star}$	-	$m_U^{\star}$	

Table: A taxonomy of the Cournot-Spengler double marginalization 🗉

Weyl and Fabiger (2009) Pass-through

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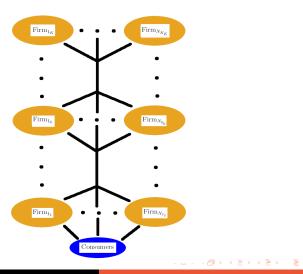
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### Explaining the results

- $\pi_U^\star > \pi^\star$
- *ρ* v. 1 crucial
  - Determines strategic complements v. substitutes
  - *m*<sup>\*</sup> v. *m*<sup>\*</sup><sub>1</sub>: magnify or absorb 2nd mark-up
  - $m_U^*$  v.  $m_D^*$  ( $\pi_U^*$  v.  $\pi_D^*$ ): what lowers  $m_D^*$ ?
  - Everything else except  $m_U^*$  v.  $m_I^*$  determined by same
- *m*<sup>\*</sup><sub>U</sub> v. *m*<sup>\*</sup><sub>I</sub> more subtle
  - How much of *m<sub>D</sub>* to pass-through vs. strategic effect
  - Marginal vs. average
    - Pass-through increasing or decreasing?

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### Generalization to GCS models



# Quantity competition: Sonnenschein (1968)

Double marginalization = dual of quantity competition

- $\implies$  Switching quantity for mark-up, all results here hold with  $\rho_Q$ 
  - But how to identify  $\rho_Q, \rho'_Q$ ?
  - Cost shocks work just as well
    - Firm specific cost shock:  $\frac{dq}{d\tilde{a}} = -\frac{m^{\star}}{a^{\star}} \frac{dq}{dc}$
    - Works for general GCS model
    - Intuition: link between cost-price and quantity pass-through

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• Thus identification proceeds in *exactly* same way

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### **Iwo-sided markets**

- More at comp. policy seminar (June 12) on RT2006
  - ⇒ Source of heterogeneity really important
- Special case of RT2003: only usage values (heterogeneity)
  - Visa and cross-subsidies
  - Only cross-effect
    - → Pass-through of cross-subsidies crucial
  - Externality=average surplus, only marginal internalized

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- Also determined by pass-through!
- $\implies$  Much turns on pass-through, slope

#### Vergers

Static unilateral effects of mergers from Bertrand competition

- How much are efficiencies passed-through?
- Anti-competitive effect is opportunity cost from diversion (Froeb et. al. 2005, Farrell and Shapiro 2008)
  - $\implies$  Diversion-efficiencies=sign, pass-through=magnitude
- Avoids pitfalls of functional form, but ignores...
  - Interactions between anti-competitive effects
  - Effects on (and through) other firms' pricing
- To solve, new "constant pass-through demand system"

• 
$$D^{i}(\mathbf{p}) = \lambda \left( \left[ \rho_{i} - 1 \right] \left[ \boldsymbol{p}_{i} + \sum_{j \neq i} \beta_{ji} \boldsymbol{p}_{j} - \tilde{\boldsymbol{p}}_{i} \right] \right)^{\frac{p_{i}}{1 - \rho_{i}}}$$

- Allows full variation in pass-through
- Also useful: linearity, second-order conditions, mergers, etc.
- Works for differentiated Cournot as well
- But no Slutsky symmetry

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# Symmetric horizontal demand systems

- General theories: Bertrand/Cournot with arbitrary demand
  - Little first-order empirical content (from cost shocks)
    - E.g. Bulow et. al. (1985), Fudenberg and Tirole (1984)
    - How to figure out strategic substitutes v. complements?
  - Only stability-based inequalities, positive idiosyncratic PT
- With a bit more structure gives a lot of identification
  - Working to generalize...
- Two assumptions:
  - Symmetry across firms
  - Provision Provisio Provisi Provisio Provisio Provisio Provisio Provisio Provisio P
    - $D_i(p_i, \mathbf{p}) = \tilde{D}(p_i g[\mathbf{p}_{-i}])$
    - Increasing price of substitute increases willingness to pay

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Linear, CoPaDS special cases

# Results with symmetric horizontal demand

Under these assumptions

- Three notions of PT all on same side of 1:
  - Short-run own (Sop)
  - 2 Long-run own (Lop)
  - Industry (in symmetric model)
- 2 Pass-through + Bertrand v. Cournot  $\implies$  strategic effect
  - Thus "conventional wisdom" reversed when ρ > 1
  - Identifies lots (Bulow et. al. and Fudenberg and Tirole)
- Effects of entry, merger on other prices

	ho < 1				$\rho > 1$		
Bertrand	Substitutes Strategic complements	Complements Strategic substitutes	]	Bertrand	Substitutes Strategic substitutes	Complements Strategic complements	]
Cournot	Strategic substitutes	Strategic complements		Cournot	Strategic complements	Strategic substitutes	
					$\bullet = \bullet \bullet \bullet \bullet \bullet \bullet$	ヨト くヨト 三日	
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### ffects of market conditions on pass-through

- Also how primitives affect various pass-through rates
- Assuming constant marginal cost:
  - Sop  $\uparrow \implies$  Lop, industry  $\uparrow$ ,more strategic substitutes
  - **2** N  $\uparrow$  Lop, industry  $\downarrow$ , less interaction
  - Icess differentiation  $\implies$  industry  $\rightarrow$  1, Lop  $\uparrow$ 
    - Counterintuitive? See below
    - Can't pass-through, but can't afford not to
- Strategic effects opposite when complements
- When marginal cost non-constant
  - Increasing marginal cost just like low pass-through
  - Increasing competition makes cost more important
  - Competitive, near constant MC  $\implies$  compare elasticities

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### iscrete choice models

Most empirical work uses discrete choice models

- These models are hard to analyze for pricing
- But using recent formula of Gabaix et. al. (2009) by EVT....
- Non-parametric symmetric many firm BLP is horizontal
- We think more complicated may as well
  - Intuitive link
- Robust preservation of log-concavity under transformations
  - ⇒ Demand same log-curvature as idiosyncratic errors
    - Assumptions about errors  $\implies$  assumption on demand
    - May give test for PT based on discrete choice
- Effect of competition on prices driven by log-curvaure
  - Strategic complementarity vs. substitution
- So allowing flexibility in pass-through, slope important...

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### Common demand functions

	$\rho < 1$	$\rho > 1$	Price-dependent
$\rho' \land 0$			AIDS
ρ' ∨ 0	Normal (Gaussian)         Logistic         Type I Extreme Value         (Gumbel)         Double Exponential         Type III Extreme Value         (Reverse Weibull)         Weibull with shape $\alpha > 1$ Gamma with shape $\alpha > 1$		Type II Extreme Value (Fréchet) with shape $\alpha > 1$
Price- dependent			
Does not globally satisfy MUC		Type II Extreme Value (Fréchet) with shape $\alpha < 1$ Weibull with shape $\alpha < 1$ Gamma with shape $\alpha < 1$	

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### Apt demand (with Fabinger)

How can we get flexibility (and tractability)?

Generalize Bulow-Pfleiderer constant PT demand

$$D(\boldsymbol{p}) = \lambda \left( |\overline{\boldsymbol{\rho}} - 1| \sqrt{|\boldsymbol{p} - \tilde{\boldsymbol{p}}|} - 2\overline{\boldsymbol{\rho}} \alpha \right)^{\frac{2\overline{\boldsymbol{\rho}}}{1 - \overline{\boldsymbol{\rho}}}}$$

- Apt demand (modulo technicalities)
- Also inverse demand formulation

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### Properties of Apt demand

Many nice properties

- All nice standard demand assumptions
- Plexible on level, elasticity, PT and slope of PT
- Quadratic solutions to monopoly pricing
  - And simple explicit solution to very wide range
- Generalizes all known tractable demand (Bulow-Pfleiderer)
  - Linear
  - Constant elasticity
  - Negative exponential
- Easily estimated
- Simple closed form surplus, estimates from formula
- Ø Software we made makes easy to use (June 17 seminar)

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### Where now?

Important direct extensions

- Non-symmetric multi-product models
- Ø More general connection to discrete choice/empirical IO
  - Vertical differentiation (Bennot had thought)
- Oemand systems: discrete choice
- Others' applications
  - Price frequency + pass-through (Gopinath-Itskhoki)
  - Output: Third-degree price discrimination (Aguirre, Cowan, Vickers)

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Price controls on consumer welfare (Bulow-Klemperer)

Where future might go

- Identifying assumptions
  - Statistical relaxations
  - Economic foundations
- Auction theory? Public finance?